



ORANGE MONKEY

Lecture 18

Computing FIRST Sets

Here is the algorithm for computing the FIRST sets.

1. For all terminal symbols b ,

$$\text{FIRST}(b) = \{b\}$$

2. For all productions: $X \rightarrow A_1 \dots A_n$

Add $\text{FIRST}(A_1) - \{\epsilon\}$ to $\text{FIRST}(X)$, stop if $\epsilon \notin \text{FIRST}(A_1)$

Add $\text{FIRST}(A_2) - \{\epsilon\}$ to $\text{FIRST}(X)$, stop if $\epsilon \notin \text{FIRST}(A_2)$

.....

Add $\text{FIRST}(A_n) - \{\epsilon\}$ to $\text{FIRST}(X)$, stop if $\epsilon \notin \text{FIRST}(A_n)$

Add ϵ to $\text{FIRST}(X)$

This strategy is encoded in the following procedure

for each $a \in (T \cup \epsilon)$

$\text{FIRST}(a) \leftarrow \{a\}$

for each $A \in NT$

$\text{FIRST}(A) \leftarrow \emptyset$

while (FIRST sets are still changing)

for each $A \rightarrow \beta_1 \beta_2 \dots \beta_k \in P$

$\text{FIRST}(A) \leftarrow \text{FIRST}(A) \cup (\text{FIRST}(\beta_1) - \{\epsilon\})$

$i \leftarrow 1$

while ($\epsilon \in \text{FIRST}(\beta_i)$ and $i = k-1$)

$\text{FIRST}(A) \leftarrow \text{FIRST}(A) \cup (\text{FIRST}(\beta_{i+1}) - \{\epsilon\})$

$i \leftarrow i+1$

if ($i == k$ and $\epsilon \in \text{FIRST}(\beta_k)$)

$\text{FIRST}(A) \leftarrow \text{FIRST}(A) \cup \{\epsilon\}$

Example : consider the expression grammar again

1	E	\rightarrow	TE'
2	E'	\rightarrow	$+TE'$
3		$ $	ϵ
4	T	\rightarrow	FT'
5	T'	\rightarrow	$*FT'$
6		$ $	ϵ
7	F	\rightarrow	(E)
8		$ $	$\underline{\text{Id}}$

$\text{FIRST}(\text{id}) = \{ \text{id} \}$
 $\text{FIRST}('(') = \{ (\}$
 $\text{FIRST}('+') = \{ + \}$

$\text{FIRST}(E) = \{ \text{FIRST}(T) - \{ \epsilon \} \}$
 $\text{FIRST}(T) = \{ \text{FIRST}(F) - \{ \epsilon \} \}$
 $\text{FIRST}(F) = \{ \text{FIRST}('(') - \{ \epsilon \} \} = \{ (\}$

$\text{FIRST}(F) = \{ '(' \} + \{ \text{FIRST}(\text{id}) - \{ \epsilon \} \} = \{ (, \text{id} \}$

$\text{FIRST}(E') = \{ +, \epsilon \}$
 $\text{FIRST}(T') = \{ *, \epsilon \}$

Thus,

$\text{FIRST}(E) = \text{FIRST}(T) = \text{FIRST}(F) = \{ (, \text{id} \}$
 $\text{FIRST}(E') = \{ +, \epsilon \}$
 $\text{FIRST}(T') = \{ *, \epsilon \}$

FOLLOW Sets

Definition:

$\text{FOLLOW}(X) = \{ b \mid S \Rightarrow^* \beta X b \}$

Computing FOLLOW Sets:

1. Add \$ to FOLLOW(S) where S is the start non-terminal.
2. If there is a production $A \Rightarrow \alpha B \beta$, then everything in $\text{FIRST}(\beta) - \{ \epsilon \}$ is in FOLLOW(B).
3. If there is a production $A \Rightarrow \alpha B$, or $A \Rightarrow \alpha B \beta$, where $\epsilon \in \text{FIRST}(\beta)$ (i.e., $\beta \Rightarrow^* \epsilon$), then everything in FOLLOW(A) is in FOLLOW(B).

The following procedure encodes this strategy.

```
for each  $A \in NT$ 
    FOLLOW(A)  $\leftarrow \emptyset$ 
FOLLOW(S)  $\leftarrow \{\$ \}$ 
while ( FOLLOW sets are still changing)
    for each  $A \rightarrow \beta_1\beta_2\dots\beta_k \in P$ 
        FOLLOW( $\beta_k$ )  $\leftarrow$  FOLLOW( $\beta_k$ )  $\cup$  FOLLOW(A)
        T  $\leftarrow$  FOLLOW(A)
        for i  $\leftarrow$  k downto 2
            if ( $\epsilon \in \text{FIRST}(\beta_i)$ )
                FOLLOW( $\beta_{i-1}$ )  $\leftarrow$  FOLLOW( $\beta_{i-1}$ )  $\cup$  (FIRST( $\beta_i$ ) -  $\{\epsilon\}$ )  $\cup$  T
            else
                FOLLOW( $\beta_{i-1}$ )  $\leftarrow$  FOLLOW( $\beta_{i-1}$ )  $\cup$  FIRST( $\beta_i$ )
        T  $\leftarrow \emptyset$ 
```

Let's apply the algorithm to the expression grammar.

Put \$ in FOLLOW(E). By rule (2) applied to production $E \rightarrow (E)$, ')' is also in FOLLOW(E). Thus, FOLLOW(E) = {), \$}. By rule (3) applied to production $E \rightarrow T E'$, \$ and ')' are in FOLLOW(E'). Thus, FOLLOW(E) = FOLLOW(E') = {), \$}. Similarly, FOLLOW(T) = FOLLOW(T') = { +,), \$ } and FOLLOW(F) = { +, |,), \$ }

Lecture 19

LL(1) Table Construction

Here now is the algorithm to construct a predictive parsing table.

1. For each production $A \rightarrow \alpha$
 1. for each terminal a in $\text{FIRST}(\alpha)$, add $A \rightarrow \alpha$ to $M[A,a]$.
 2. If ϵ is in $\text{FIRST}(\alpha)$, add $A \rightarrow \alpha$ to $M[A,b]$ for each terminal b in $\text{FOLLOW}(A)$. If ϵ is in $\text{FIRST}(\alpha)$, and $\$$ is in $\text{FOLLOW}(A)$, add $A \rightarrow \alpha$ to $M[A,\$]$.
2. Make each undefined entry of M be error.

Let us apply the algorithm to the expression grammar. Since $\text{FIRST}(TE') = \text{FIRST}(T) = \{ (, \text{id} \}$, the production $E \rightarrow TE'$ cause $M[E,(]$ and $M[E,\text{id}]$ to get $E \rightarrow TE'$. The production $E' \rightarrow +TE'$ causes $M[E',+]$ to get $E' \rightarrow +TE'$. The production $E' \rightarrow \epsilon$ causes $M[E',)]$ and $M[E',\$]$ to get $E' \rightarrow \epsilon$ since $\text{FOLLOW}(E') = \{), \$ \}$. And so on. The final parsing table produced is:

	id	+	*	()	\$
E	$E \rightarrow TE'$			$E \rightarrow TE'$		
E'		$E' \rightarrow +TE'$			$E' \rightarrow \epsilon$	$E' \rightarrow \epsilon$
T	$T \rightarrow FT'$			$T \rightarrow FT'$		
T'		$T' \rightarrow \epsilon$	$T' \rightarrow *FT'$		$T' \rightarrow \epsilon$	$T' \rightarrow \epsilon$
F	$F \rightarrow \text{id}$			$F \rightarrow (E)$		

Left Factoring

Consider the grammar

$$\begin{aligned}
 E &\rightarrow T + E \mid T \\
 T &\rightarrow \text{int} \mid \text{int} T \mid (E)
 \end{aligned}$$

It is impossible to predict because for T , two productions start with int . For E , it

is not clear how to predict; the two productions start with the non-terminal T. A grammar must be *left factored* before use for predictive parsing. The procedure to left-factor a grammar is as follows:

If $\alpha \neq \epsilon$, replace all productions

$$A \rightarrow \alpha\beta_1 \mid \alpha\beta_2 \mid \dots \mid \alpha\beta_n \mid \gamma$$

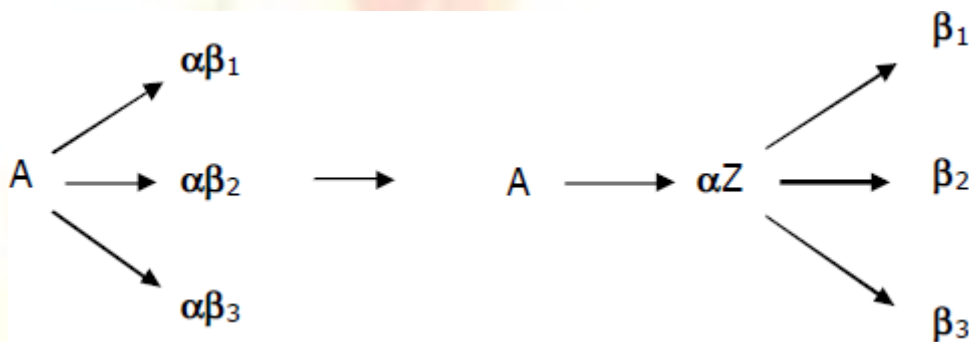
with

$$A \rightarrow \alpha Z \mid \gamma$$

$$Z \rightarrow \beta_1 \mid \beta_2 \mid \dots \mid \beta_n$$

where Z is a new non-terminal

A graphical explanation:



Example: consider following fragment of expression grammar

$$\begin{aligned} \text{Factor} & \rightarrow \underline{\text{id}} \\ & \mid \underline{\text{id}} \text{ [ExprList]} \\ & \mid \underline{\text{id}} \text{ (ExprList)} \end{aligned}$$

After left factoring, the grammar becomes

$$\begin{aligned} \text{Factor} & \rightarrow \underline{\text{id}} \text{ Args} \\ \text{Args} & \rightarrow \text{ [ExprList]} \\ & \mid \text{ (ExprList)} \\ & \mid \epsilon \end{aligned}$$

Given a CFG that does not meet the LL(1) condition, it is *un-decidable* whether or not an equivalent LL(1) grammar exists.

Lecture 20

Bottom-up Parsing

Bottom-up parsing is more general than top-down parsing. Bottom-up parsers handle a large class of grammars. It is the preferred method in practice. It is also called *LR parsing*; *L* means that tokens are read left to right and *R* means that the parser constructs a rightmost derivation. LR parsers do not need left-factored grammars. LR parsers can handle left-recursive grammars.

LR parsing *reduces* a string to the start symbol by inverting productions. A derivation consists of a series of rewrite steps

$$S \Rightarrow \gamma_0 \Rightarrow \gamma_1 \Rightarrow \dots \Rightarrow \gamma_{n-1} \\ \Rightarrow \gamma_n \Rightarrow \text{sentence}$$

Each γ_i is a *sentential form*. If γ contains only terminals, γ is a *sentence* in $L(G)$. If γ contains ≥ 1 nonterminals, γ is a *sentential form*. A bottom-up parser builds a derivation by working from input sentence *back* towards the start symbol S .

Consider the grammar

$$\begin{aligned} S &\rightarrow aABe \\ A &\rightarrow Abc \mid b \\ B &\rightarrow d \end{aligned}$$

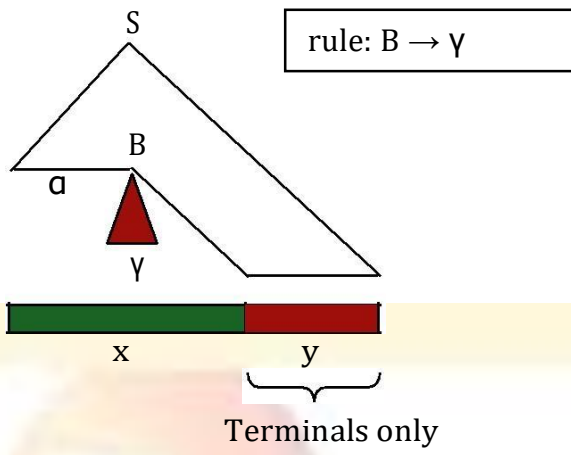
The sentence `abbcde` can be reduced to S :

```
abbcde
aAbcd
e aAde
aABe S
```

These reductions, in fact, trace out the following right-most derivation in reverse:

$$\begin{aligned} S &\rightarrow aABe \\ &\rightarrow aAde \\ &\rightarrow aAbcde \\ &\rightarrow abbcde \end{aligned}$$

$$S \rightarrow aBy \rightarrow ayy \rightarrow xy$$



Consider the grammar

1. $E \rightarrow E + (E)$
2. $\quad \quad \quad | \text{int}$

The bottom-up parse of the string $\text{int} + (\text{int}) + (\text{int})$ would be

- $\text{int} + (\text{int}) + (\text{int})$
- $E + (\text{int}) + (\text{int}) E$
- $+ (E) + (\text{int})$
- $E + (\text{int})$
- $E + (E)$
- E

The consequence of an LR parser tracing a rightmost derivation in reverse is that given $\alpha\beta\gamma$ be a step of a bottom-up parse, assuming that next reduction is $A \rightarrow \beta$ Then γ is a string of terminals. The reason is that $\alpha A \gamma \rightarrow \alpha\beta\gamma$ is a step in a rightmost derivation. This observation provides a strategy for building bottom up parsers: split the input string into two substrings. Right substring (a string of terminals) is as yet unexamined by parser and left substring has terminals and non-terminals. The dividing point is marked by a \blacktriangleright (the \blacktriangleright is not part of the string). Initially, all input is unexamined: $\blacktriangleright x_1 x_2 \dots x_n$.

Shift-Reduce Parsing

Bottom-up parsing uses only two kinds of actions:

1. Shift
2. Reduce

Shift moves \blacktriangleright one place to the right which shifts a terminal to the left string

$$+ (\blacktriangleright \text{int}) \Rightarrow E + (\text{int } \blacktriangleright)$$

In the *reduce* action, the parser applies an inverse production at the right end of the left string. If $E \rightarrow E + (E)$ is a production, then

$$E + (E + (E) \blacktriangleright) \Rightarrow E + (E \blacktriangleright)$$

Shift-Reduce Example

$\blacktriangleright \text{int} + (\text{int}) + (\text{int}) \$$	shift
$\text{int } \blacktriangleright + (\text{int}) + (\text{int}) \$$	reduce $E \rightarrow \text{int}E$
$\blacktriangleright + (\text{int}) + (\text{int}) \$$	shift 3 times
$E + (\text{int } \blacktriangleright) + (\text{int}) \$$	reduce $E \rightarrow \text{int}$
$E + (E \blacktriangleright) + (\text{int}) \$$	shift
$E + (E) \blacktriangleright + (\text{int}) \$$	reduce $E \rightarrow E+(E)$
$E \blacktriangleright + (\text{int}) \$$	shift 3 times
$E + (\text{int } \blacktriangleright) \$$	reduce $E \rightarrow \text{int}$
$E + (E \blacktriangleright) \$$	shift
$E + (E) \blacktriangleright \$$	red $E \rightarrow E+(E)$
$E \blacktriangleright \$$	<u>accept</u>

Lecture 21

Shift-Reduce: The Stack

A stack can be used to hold the content of the left string. The Top of the stack is marked by the \blacktriangleright symbol. The shift action pushes a terminal on the stack.

Reduce pops zero or more symbols from the stack (production *rhs*) and pushes a non-terminal on the stack (production *lhs*)

Discovering Handles

A bottom-up parser builds the parse tree starting with its leaves and working toward its root. The upper edge of this partially constructed parse tree is called its *upper frontier*. At each step, the parser looks for a section of the upper frontier that matches right-hand side of some production. When it finds a match, the parser builds a new tree node with the production's left-hand non-terminal thus extending the frontier upwards towards the root. The critical step is developing an efficient mechanism that finds matches along the tree's current frontier.

Formally, the parser must find some substring β , of the upper frontier where

1. β is the right-hand side of some production $A \rightarrow \beta$, and
2. $A \rightarrow \beta$ is one step in right-most derivation of input stream

We can represent each potential match as a pair $\langle A \rightarrow \beta.k \rangle$, where k is the position on the tree's current frontier of the right-end of β . The pair $\langle A \rightarrow \beta.k \rangle$ is called the *handle* of the bottom-up parse.

Handle Pruning

A bottom-up parser operates by repeatedly locating handles on the frontier of the partial parse tree and performing reductions that they specify. The bottom-up parser uses a stack to hold the frontier. The stack simplifies the parsing algorithm in two ways.

First, the stack trivializes the problem of managing space for the frontier. To extend the frontier, the parser simply pushes the current input token onto the top of the stack. Second, the stack ensures that all handles occur with their right end at the top of the stack. This eliminates the need to represent handle's position.

Shift-Reduce Parsing Algorithm

push \$ onto stack

sym ←

nextToken()

repeat until (sym == \$ and the stack contains exactly Goal on top of \$) if a handle for $A \rightarrow \beta$ on top of stack

pop $|\beta|$ symbols off the stack push A onto the stack

else if (sym ≠ \$)

push sym onto stack sym

← nextToken() else /* no handle, no input */ report error and halt

Lecture 22

Example: here is the bottom-up parser's action when it parses the expression grammar sentence

$$x - 2 \times y$$

(tokenized as id - num * id)

	word	Stack	Handle	Action
1	id	▶	- none -	<i>shift</i>
2	-	id ▶	<Factor → id,1>	<i>reduce</i>
3	-	Factor ▶	<Term → Factor,1>	<i>reduce</i>
4	-	Term ▶	<Expr → Term,1>	<i>reduce</i>
5	-	Expr ▶	- none -	<i>shift</i>
6	num	Expr - ▶	- none -	<i>shift</i>
7	×	Expr - num ▶	<Factor → num,3>	<i>reduce</i>
8	×	Expr - Factor ▶	<Term → Factor,3>	<i>shift</i>
9	×	Expr - Term ▶	- none -	<i>shift</i>
10	id	Expr - Term × ▶	- none -	<i>shift</i>
11	\$	Expr - Term × id ▶	<Factor → id,5>	<i>reduce</i>
12	\$	Expr - Term × Factor ▶	<Term → Term × Factor,5>	<i>reduce</i>
13	\$	Expr - Term ▶	<Expr → Expr - Term,3>	<i>reduce</i>
14	\$	Expr ▶	<Goal → Expr,1>	<i>reduce</i>
15	\$	Goal	- none -	<u><i>accept</i></u>

Handles

The handle-finding mechanism is the key to efficient bottom-up parsing. As it process an input string, the parser must find and track all potential handles. For example, every legal input eventually reduces the entire frontier to grammar's goal symbol. Thus,

<Goal → Expr,1> is a potential handle at the start of every parse. As the parser builds a derivation, it discovers other handles. At each step, the set of potential handles represent different suffixes that lead to a reduction. Each potential handle represent a string of grammar symbols that, if seen, would complete the right-hand side of some production.

For the bottom-up parse of the expression grammar string, we can represent the potential handles that the shift-reduce parser should track. Using the placeholder • to represent top of the stack, there are nine handles:

Handles	
1	<Factor → id •>
2	<Term → Factor•>
3	<Expr → Term •>
4	<Factor → num•>
5	<Term → Factor•>
6	<Factor → id •>
7	<Term → Term × Factor •>
8	<Expr → Expr - Term •>
9	<Goal → Expr •>

This notation shows that the second and fifth handles are identical, as are first and sixth. It also create a way to represent the potential of discovering a handle in future. Consider the parser's state in step 6: The parser has recognized Expr -. Using the stack-relative notation, we can represent the parser's state as Expr → Expr - • Term. The parser has already recognized an Expr and a -. If the parser reaches a state where it shifts a Term on top of Expr and -, it will complete the handle Expr → Expr - Term •. How many potential handles must the parser recognize? The right-hand side of each production can have a placeholder at its start, at its end and between any two consecutive symbols.

Expr → • Expr -Term
 Expr → Expr • - Term
 Expr → Expr - •Term
 Expr → Expr - Term •

If the right-hand side of a production has k symbols, it has $k + 1$ placeholder positions.

Lecture 23

Handles

The number of potential handles for the grammar is simply the sum of the lengths of the right-hand side of all the productions. The number of complete handles is simply the number of productions. These two facts lead to the critical insight behind LR parsers:

A given grammar generates a finite set of handles (and potential handles) that the parser must recognize

However, it is not a simple matter of putting the placeholder in right-hand side to generate handles. The parser needs to recognize the correct handle by different right contexts. Consider the parser's action at step 9.

	word	Stack	Handle	Action
9	×	Expr - Term ▶	- none -	<i>shift</i>
10	id	Expr - Term × ▶	- none -	<i>shift</i>
11	\$	Expr - Term × id ▶	<Factor → id,5>	<i>reduce</i>
12	\$	Expr-Term × Factor ▶	<Term → Term × Factor,5 >	<i>reduce</i>
13	\$	Expr - Term ▶	<Expr → Expr - Term,3>	<i>reduce</i>
14	\$	Expr ▶	<Goal → Expr,1>	<i>reduce</i>
15	\$	Goal	- none -	<i>accept</i>

The frontier is Expr - Term, suggesting a handle <Expr → Expr - Term>•. However, the parser decides to extend the frontier by shifting × on to the stack rather than reducing frontier to Expr. Clearly, this the correct move for the parser. No potential handle contains Expr followed by ×. At step 9, the set of potential handles is

<Expr → Expr - Term•>
 <Term → Term• × Factor>
 <Term → Term• / Factor >

The next input symbol clearly matches the second choice. The parser needs a basis for deciding between first (reduce) and second (shift) choices:

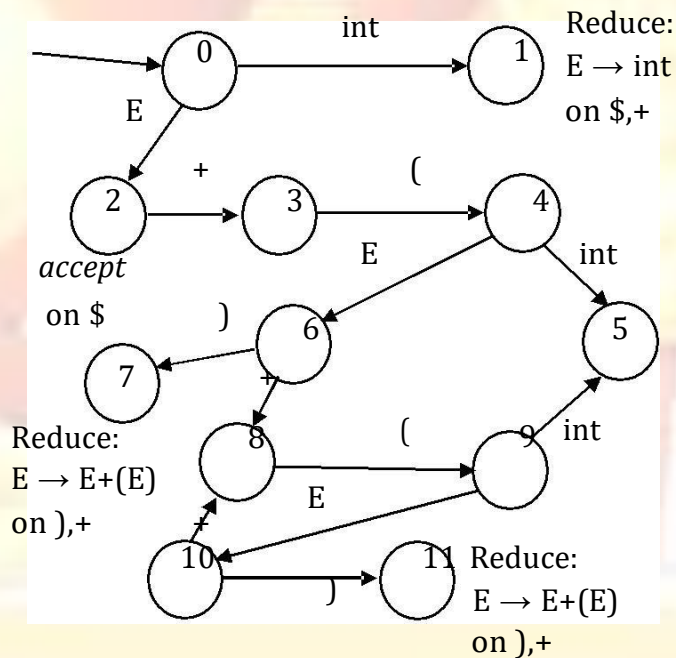
<Expr \rightarrow Expr - Term•>
 <Term \rightarrow Term• × Factor>

This requires more context than the parser has in the frontier (stack). To choose between reducing and shifting, the parser must recognize which symbols can occur to the right of Expr and Term in valid phrases.

LR(1) Parsers

The LR(1) parsers can recognize precisely those languages in which one-symbol lookahead suffices to determine whether to shift or reduce. The LR(1) construction algorithm builds a handle-recognizing DFA. The parsing algorithm uses this DFA to recognize handles and potential handles on the parse stack

Parsing DFA



In order to remember the state the DFA goes into on a symbol, the parser stores the DFA state in the stack along with the symbol. Initial entry in the stack will be '<dummy,0>'.

Parsers represent DFA as a 2D table. The rows correspond to DFA states and columns correspond to terminals and non-terminals. The columns with

terminals and the rows form the *action table* while the columns with non-terminals and rows are called the *goto table*. It is customary to show these tables together.

Building LR(1) Tables

To construct *Action* and *Goto* tables, the LR(1) parser generator builds a model of handle-recognizing DFA. The model is used to fill in the tables. The LR(1)-table construction needs a concrete representation for the handles and their associated lookahead symbols. We call this representation an *LR(1) item*.



Lecture 24

An LR(1) item is a pair $[X \rightarrow \alpha \bullet \beta, a]$ where $X \rightarrow \alpha \beta$ is a production and $a \in \Sigma$ (terminals) is look-ahead symbol. The model uses a set of LR(1) items to represent each parser state. The model is called the *canonical collection (CC) of set of LR(1) items*.

Canonical Collection

Each set in CC represents a state in the eventual parser DFA. The construction of CC begins by building a model of parser's initial state. The initial state consists of the set of LR(1) items that represent the parser's initial state, along with any items that must also hold in the initial state. To simplify the task of building this initial state, the construction requires that the grammar have a unique goal symbol. The convention is to add a new start symbol S to grammar and a production

$$S \rightarrow E$$

This leads to the augmented grammar

$$\begin{aligned} S &\rightarrow E \\ E &\rightarrow E + (E) \mid \underline{\text{int}} \end{aligned}$$

The Closure Procedure

The item $[S \rightarrow \bullet E, \$]$ describes the parser's initial state. It represents a configuration in which recognizing S followed by $\$$ would be a valid parse. This item, i.e., $[S \rightarrow \bullet E, \$]$ becomes the core of the first state in CC , labeled I_0 . If the grammar has several distinct productions for the start symbol, each of them generates an item in this initial core of I_0 . The procedure *closure* does this.

```
closure(s)
= repeat
  for each  $[X \rightarrow \alpha \bullet Y \beta, a] \in s$ 
  for each production  $Y \rightarrow \alpha$ 
  for each  $b \in \text{FIRST}(\beta a)$ 
     $s \leftarrow s \cup [Y \rightarrow \bullet \gamma, b]$ 
  until  $s$  is unchanged
```

Let's apply this procedure to the augmented grammar.

The first set is $I_0 = \text{closure}(\{[S \rightarrow \bullet E, \$]\})$. Equating the terms in the

procedure, $s = \{[S \rightarrow \bullet E, \$], [X \rightarrow \alpha \bullet Y\beta, a] \Leftrightarrow [S \rightarrow \bullet E, \$], X = S, \alpha = \epsilon, Y = E, \beta = \epsilon, a = \$, Y \rightarrow \gamma \cup E \rightarrow E + (E) \text{ and } E \rightarrow \text{int} \text{FIRST}(\beta a) = \text{FIRST}(\$) = \$.$

This leads to expansion of s .

$$s = \{ [S \rightarrow \bullet E, \$] \} \cup \{ [E \rightarrow \bullet E + (E), \$] \} \cup \{ [E \rightarrow \bullet \text{int}, \$] \} = \{ [S \rightarrow \bullet E, \$], [E \rightarrow \bullet E + (E), \$], [E \rightarrow \bullet \text{int}, \$] \}$$

The set s changed so we repeat. The item $[S \rightarrow \bullet E, \$]$ is already processed. The for loop considers $[X \rightarrow \alpha \bullet Y\beta, a] \Leftrightarrow [E \rightarrow \bullet E + (E), \$]$, which leads to the match up $X = E,$

$\alpha = \epsilon, Y = E, \beta = +(E), a = \$, Y \rightarrow \gamma \Leftrightarrow E \rightarrow E + (E), \Leftrightarrow E \rightarrow \text{int} \text{FIRST}(\beta a) = \text{FIRST}(\text{int}(E)\$) = \text{int}.$ The set s is extended

$$s = s \cup \{ [E \rightarrow \bullet E + (E), \text{int}] \} \cup \{ [E \rightarrow \bullet \text{int}, \text{int}] \}$$



Lecture 25

The set s changed so the repeat loop is executed again. This time, however, the item $[E \rightarrow \bullet \text{int}, \$/+]$ does not yield any more items because the dot is followed by the terminal int . The first set of items is

$$I_0 = \{ \begin{array}{l} [S \rightarrow \bullet E, \$], \\ [E \rightarrow \bullet E+(E), \$/+], \\ [E \rightarrow \bullet \text{int}, \$/+] \end{array} \}$$

Let's consider the rationale behind the *Closure* procedure. If $[A \rightarrow \beta \bullet C \bar{\delta}, a] \in s$, then one potential completion for the left context is to find a string that reduces to C , followed by $\bar{\delta}a$. This completion should cause a reduction to A , since it fills out the production's right-hand side ($C\bar{\delta}$), and follows it with a valid look-ahead symbol. For a production

$C \rightarrow \gamma$, *closure* must insert ' \bullet ' before γ and add appropriate look-ahead symbols – all terminals that can appear as the initial symbol in $\bar{\delta}a$. This includes every terminal in $\text{FIRST}(\bar{\delta})$. If $\epsilon \in \text{FIRST}(\bar{\delta})$, it also includes a , thus $\text{FIRST}(\bar{\delta}a)$ in the algorithm.

The *goto* Procedure

The second critical step in the construction is to derive other parser states from I_0 . To accomplish this, we compute, for each state I_i and each grammar symbol y , the state that would arise if the parser recognized a y while in state I_i . A state s that contains

$[X \rightarrow \alpha \bullet y\beta, b]$ has a transition (*goto*) labeled y to the state that contains the items *goto*(s, y) where y can be terminal or a non-terminal.

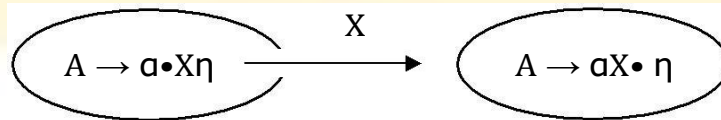
$$\begin{array}{l} \textit{goto}(s, y) \\ m \leftarrow \{ \} \\ \text{for each item } [X \rightarrow \alpha \bullet y\beta, b] \in s \\ m \leftarrow m \cup \{ [X \rightarrow \alpha y \bullet \beta, b] \} \\ \text{return } \textit{closure}(m) \end{array}$$

Finite Automaton of Items

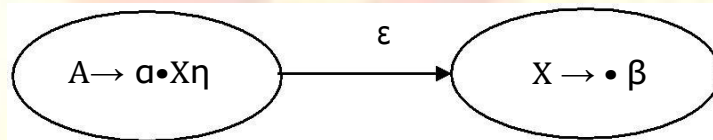
The LR(1) items are used as the states of a finite automaton (FA) that maintains information about the parsing stack and progress of a shift-reduce parser. The FA will start out as a nondeterministic finite automaton (NFA). A DFA can be constructed from this NFA using the subset construction, similar to one we used for lexical analysis.

Consider the NFA of LR(0) items, i.e., no look-ahead. What are the transitions of the NFA of LR(0) items? Consider the item $A \rightarrow \alpha \bullet \gamma$. Suppose γ begins with symbol X which may be a terminal (token) or non-terminal. The item can be written as $A \rightarrow \alpha \bullet X \eta$.

Then there is a transition on symbol X for state represented by item $A \rightarrow \alpha \bullet X \eta$ to state represented by item $A \rightarrow \alpha X \bullet \eta$. If X is a terminal, then this transition corresponds to a shift of X from input to top of parse stack.



If X is a non-terminal, then the interpretation of this transition is more complex because non-terminals do not appear in input. In fact, such a transition will correspond to pushing of X onto the stack during the parse. But this can only occur during a reduction by the production $X \rightarrow \beta$. Such a reduction must be preceded by recognition of a β . The state given by $X \rightarrow \bullet \beta$ represents the beginning of this process (dot indicates we are about to recognize β). Then for every item $A \rightarrow \alpha \bullet X \eta$ we must add an ϵ -transition for every production $X \rightarrow \beta$.



Lecture 26

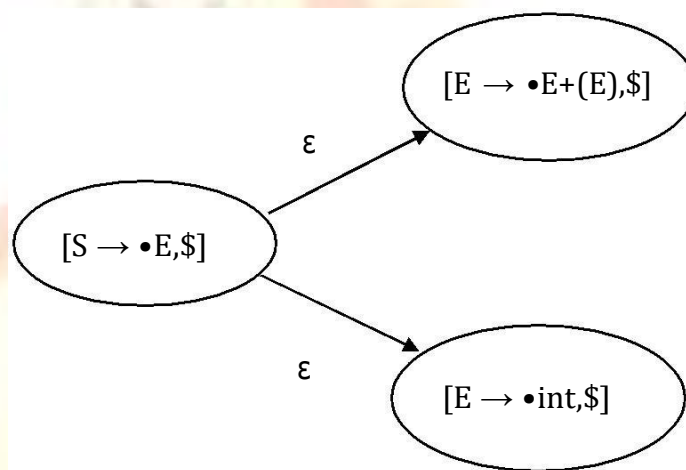
The initial DFA state I_0 we computed is the ϵ -closure of the set consisting of item

$$S \rightarrow \bullet E$$

Recall the stage in the closure

$$s = \{ [S \rightarrow \bullet E, \$] , [E \rightarrow \bullet E + (E), \$] , [E \rightarrow \bullet \text{int}, \$] \}$$

The NFA states and transitions required are



Algorithm:

Construction of collection of canonical sets of LR(1) items.

Input:

An augmented grammar G'

Output:

Collection of canonical (CC) sets of LR(1)

CC(G')

$I_0 \leftarrow \{\text{closure}([S' \rightarrow \bullet S, \$])\}$

$CC \leftarrow \{ I_0 \}$

repeat

for each unmarked set $I_j \in CC$

mark I_j as processed

for each X following \bullet in an item in I_j

$I_k \leftarrow$

$\text{goto}(I_j, X)$ if I_k

$\notin CC$ then

$CC \leftarrow CC \cup I_k$

record transition from I_j to I_k on

X until CC is not changing

We use the algorithm to compute the sets of LR(1) items for the augmented grammar G'

$$\begin{aligned} S &\rightarrow E \\ E &\rightarrow E + (E) \mid \underline{\text{int}} \end{aligned}$$

We computed I_0 ; we now compute the sets $\text{goto}(I_0, X)$ for various values of X . X can be E , int , $+$, $($ and $)$.

$I_1 = \text{goto}(I_0, \text{int})$: invokes $\text{closure}(\{[E \rightarrow \text{int}\bullet, \$/+]\})$. No additional closure is possible since the dot is at the right end of the production. Thus $I_1 = \{[E \rightarrow \text{int}\bullet, \$/+]\}$ and we have the transition from I_0 to I_1 on int

$$\begin{aligned} I_2 &= \text{goto}(I_0, E) \\ m &\leftarrow \{\} \\ \text{for each } [X \rightarrow \bullet E, b] &\in I_0 \\ &< [S \rightarrow \bullet E, \$] \\ &< [E \rightarrow \bullet E+(E), \$/+] \\ m &= m \cup \{[S \rightarrow E\bullet, \$]\} \cup \{[E \rightarrow E\bullet+(E), \$/+]\} \\ \text{return } &\text{closure}(m) \end{aligned}$$

No further closure for the first item because \bullet is at the end
In the second item, a terminal $+$ appears after \bullet so no further closure is possible. Thus $I_2 = \{[S \rightarrow E\bullet, \$], [E \rightarrow E\bullet+(E), \$/+]\}$.

We repeat the process in similar fashion.

$$I_3 = \text{goto}(I_2, +) = \{[E \rightarrow E + \bullet (E), \$/+]\}$$

$I_4 = \text{goto}(I_3, () = \{ [E \rightarrow E + (\bullet E), \$/+], [E \rightarrow \bullet E + (E),)/+], [E \rightarrow \bullet \underline{\text{int}},)/+]$

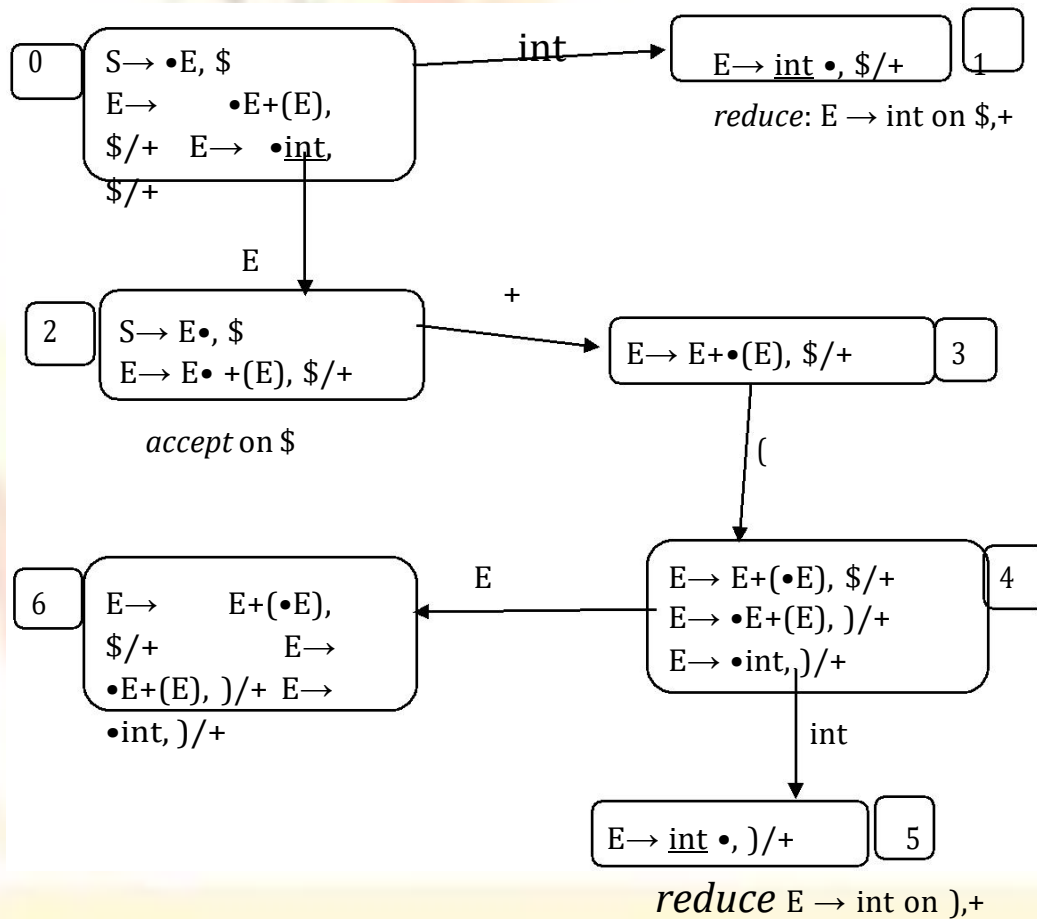
$I_3 = \text{goto}(I_2, +) = \{ [E \rightarrow E + \bullet (E), \$/+]$

$I_4 = \text{goto}(I_3, () = \{ [E \rightarrow E + (\bullet E), \$/+], [E \rightarrow \bullet E + (E),)/+], [E \rightarrow \bullet \underline{\text{int}},)/+]$

$I_5 = \text{goto}(I_4, \text{int}) = \{ [E \rightarrow \text{int} \bullet,)/+]$

$I_6 = \text{goto}(I_4, E) = \{ [E \rightarrow E + (E \bullet), \$/+], [E \rightarrow E \bullet + (E),)/+]$

and so on. The sets and transitions so far yield the DFA



Lecture 27

LR Table Construction

Construct $CC = \{I_0, I_1, I_2, \dots, I_n\}$, for G' . State i of the parser is constructed from the set I_i . The parsing actions for state i are determined as follows:

```
for each item  $I_i \in CC$ 
  if  $[A \rightarrow \alpha \bullet a \beta, b] \in I_i$  and  $\text{goto}(I_i, a) = I_j$ 
    then  $\text{Action}[i, a] \leftarrow \text{"shift } j\text{"}$ 
  else if  $[A \rightarrow \bullet, a] \in I_i$  and  $A \neq S'$  then
     $\text{Action}[i, a] \leftarrow \text{"reduce } A \rightarrow \alpha$ 
  " else if  $[S' \rightarrow S \bullet, \$] \in I_i$  then
     $\text{Action}[i, a] \leftarrow \text{"accept"}$ 
end for

// the goto table
for each non-terminal  $A \in G$ 
  if  $\text{goto}(I_i, A) = I_j$  then
     $\text{Goto}[i, A] \leftarrow j$ 
```

The initial state is the one that contains the item $[S' \rightarrow \bullet S, \$]$. All remaining entries are marked "error". Let us go through an example and construct the LR table for the augmented grammar

1. $S' \rightarrow E$
2. $E \rightarrow T - E$
3. $E \rightarrow T$
4. $T \rightarrow F \times T$
5. $T \rightarrow F$
6. $F \rightarrow \text{id}$

The FIRST sets we would need are

Symbol	FIRST
S'	{ id }
E	{ id }
T	{ id }
F	{ id }
id	{ id }
\times	{ \times }
$-$	{ $-$ }

We construct the canonical collection of set of LR(1)

$$I_0 = \{\text{closure}([S' \rightarrow \bullet E, \$])\}$$
$$\{$$

- $[S' \rightarrow \bullet E, \$],$
- $[E \rightarrow \bullet T - E, \$], [E \rightarrow \bullet T, \$],$
- $[T \rightarrow \bullet F \times T, \$], [T \rightarrow \bullet F, \$]$
- $[T \rightarrow \bullet F \times T, -], [T \rightarrow \bullet F, -],$
- $[F \rightarrow \bullet \text{id}, \$], [F \rightarrow \bullet \text{id}, -],$
- $[F \rightarrow \bullet \text{id}, \times]$

$$\}$$
$$I_1 = \{\text{goto}(I_0, E)\} = \{[S' \rightarrow E \bullet, \$]\}$$
$$I_2 = \{\text{goto}(I_0, T)\} = \{[E \rightarrow T \bullet - E, \$], [E \rightarrow T \bullet, \$]\}$$
$$I_3 = \{\text{goto}(I_0, F)\} = \{$$

- $[T \rightarrow F \bullet \times T, \$],$
- $[T \rightarrow F \bullet, \$],$
- $[T \rightarrow F \bullet \times T, -],$
- $[T \rightarrow F \bullet, -]\}$

$$I_4 = \{\text{goto}(I_0, \text{id})\} = \{$$

- $[F \rightarrow \text{id} \bullet, \$],$
- $[F \rightarrow \text{id} \bullet, -],$
- $[F \rightarrow \text{id} \bullet, \times]\}$

$$I_5 = \{\text{goto}(I_2, -)\} = \{$$

- $[E \rightarrow T - \bullet E, \$], [E \rightarrow \bullet T - E, \$], [E \rightarrow \bullet T, \$],$
- $[T \rightarrow \bullet F \times T, \$], [T \rightarrow \bullet F \times T, -], [T \rightarrow \bullet F, \$], [T \rightarrow \bullet F, -],$
- $[F \rightarrow \bullet \text{id}, \$], [F \rightarrow \bullet \text{id}, -], [F \rightarrow \bullet \text{id}, \times]\}$

$$I_6 = \{\text{goto}(I_3, \times)\} = \{$$

- $[T \rightarrow F \times \bullet T, \$], [T \rightarrow F \times \bullet T, -],$
- $[T \rightarrow \bullet F \times T, \$], [T \rightarrow \bullet F \times T, -], [T \rightarrow \bullet F, \$], [T \rightarrow \bullet F, -],$
- $[F \rightarrow \bullet \text{id}, \$], [F \rightarrow \bullet \text{id}, -], [F \rightarrow \bullet \text{id}, \times]\}$

$$I_7 = \{\text{goto}(I_5, E)\} = \{[E \rightarrow T - E \bullet, \$]\}$$

$I_2 = \{\text{goto}(I_5, T)\}$, i.e., $\text{goto}(I_5, T)$ yields the same set as I_2 .

$$I_3 = \{\text{goto}(I_5, F)\}$$
$$I_4 = \{\text{goto}(I_5, \text{id})\}$$

$I_8 = \{\text{goto}(I_6, T)\} = \{ [T \rightarrow F \times T \bullet, \$], [T \rightarrow F \times T \bullet, -] \}$

$I_3 = \{\text{goto}(I_6, F)\}$

$I_4 = \{\text{goto}(I_6, \text{id})\}$

We now filling the LR(1) table by applying the rules.

Apply

1. if $[A \rightarrow \alpha \bullet a \beta, b] \in I_i$ and $\text{goto}(I_i, a) = I_j$
then set $\text{Action}[i, a] \leftarrow \text{"shift } j\text{"}$. // here, a is a terminal.

$I_0 = \{ [S' \rightarrow \bullet E, \$], [E \rightarrow \bullet T - E, \$],$
 $[E \rightarrow \bullet T, \$], [T \rightarrow \bullet F \times T, \$],$
 $[T \rightarrow \bullet F \times T, -], [T \rightarrow \bullet F, \$],$
 $[T \rightarrow \bullet F, -], [F \rightarrow \bullet \text{id}, \$], [F$
 $\rightarrow \bullet \text{id}, -], [F \rightarrow \bullet \text{id}, \times] \}$

$\text{goto}(I_0, \text{id}) = I_4$
 $\rightarrow \text{Action}[0, \text{id}] \leftarrow \text{shift } 4$

$I_2 = \{ [E \rightarrow T \bullet - E, \$], [E \rightarrow T \bullet, \$] \}, \text{goto}(I_2, -) = I_5$
 $\rightarrow \text{Action}[2, -] \leftarrow \text{shift } 5$

$I_3 = \{ [T \rightarrow F \bullet \times T, \$], [T \rightarrow F \bullet, \$], [T \rightarrow F \bullet \times T, -], [T \rightarrow F \bullet, -] \}, \text{goto}(I_3, \times) = I_6$
 $\rightarrow \text{Action}[3, \times] \leftarrow \text{shift } 6$

$\text{goto}(I_5, \text{id}) = I_4$
 $\rightarrow \text{Action}[5, \text{id}] \leftarrow \text{shift } 4$

$\text{goto}(I_6, \text{id}) = I_4$
 $\rightarrow \text{Action}[6, \text{id}] \leftarrow \text{shift } 4$

Apply

2. if $[A \rightarrow \alpha \bullet, a] \in I_i$ and $A \neq S'$ then set $\text{action}[i, a]$ to "reduce $A \rightarrow \alpha$ "

$I_2 = \{ [E \rightarrow T \bullet - E, \$], [E \rightarrow T \bullet, \$] \}$
 $\rightarrow \text{Action}[2, \$] \leftarrow \text{reduce } 3$

$I_3 = \{ [T \rightarrow F \bullet \times T, \$], [T \rightarrow F \bullet, \$], [T \rightarrow F \bullet \times T, -], [T \rightarrow F \bullet, -] \}$
 $\rightarrow \text{Action}[3, \$] \leftarrow \text{reduce } 5$
 $\rightarrow \text{Action}[3, -] \leftarrow \text{reduce } 5$

$I_4 = \{ [F \rightarrow id\bullet, \$], [F \rightarrow id\bullet, -], [F \rightarrow id\bullet, \times] \}$

$\rightarrow \text{Action}[4, \$] \leftarrow \text{reduce } 6$

$\rightarrow \text{Action}[4, -] \leftarrow \text{reduce } 6$

$\rightarrow \text{Action}[4, \times] \leftarrow \text{reduce } 6$

$I_7 = \{ [E \rightarrow T - E\bullet, \$] \}$

$\rightarrow \text{Action}[7, \$] \leftarrow \text{reduce } 2$

$I_8 = \{ [T \rightarrow F \times T\bullet, \$], [T \rightarrow F \times T\bullet, -] \}$

$\rightarrow \text{Action}[8, \$] \leftarrow \text{reduce } 4$

$\rightarrow \text{Action}[8, -] \leftarrow \text{reduce } 4$

Apply

3. if $[S' \rightarrow S\bullet, \$] \in I_i$

then set $\text{action}[i, \$]$ to "accept"

$I_1 = \{ [S' \rightarrow E\bullet, \$] \}$

$\rightarrow \text{Action}[1, \$] \leftarrow \text{accept}$

Apply

for each non-terminal $A \in G$

if $\text{goto}(I_i, A) = I_j$ then $\text{goto}[i, A] \leftarrow j$.

$\text{goto}(I_0, E) = I_1 \rightarrow \text{goto}[0, E] \leftarrow 1$

$\text{goto}(I_0, T) = I_2 \rightarrow \text{goto}[0, T] \leftarrow 2$

$\text{goto}(I_0, F) = I_3 \rightarrow \text{goto}[0, F] \leftarrow 3$

$\text{goto}(I_5, E) = I_7 \rightarrow \text{goto}[5, E] \leftarrow 7$

$\text{goto}(I_5, T) = I_2 \rightarrow \text{goto}[5, T] \leftarrow 2$

$\text{goto}(I_5, F) = I_3 \rightarrow \text{goto}[5, F] \leftarrow 3$

$\text{goto}(I_6, T) = I_8 \rightarrow \text{goto}[6, T] \leftarrow 8$

$\text{goto}(I_6, F) = I_3 \rightarrow \text{goto}[6, F] \leftarrow 3$

The final table we get is

	Action				Goto		
	id	-	×	\$	E	T	F
0	s4				1	2	3
1				acc			
2		s5		r3			
3		r5	s6	r5			
4		r6	r6	r6			
5	s4				7	2	3
6	s4					8	3
7				r2			
8		r4		r4			

Let us parse the expression $x - y \times z$ using the LR(1) table. The scanner will encode the input string as $id - id \times id \$$ where $\$$ is the EOF marker

Stack	Input	
ϵ 0	id - id × id \$s4	
ϵ 0id4	- id × id \$r6 F→ id	
ϵ 0F3	- id × id \$r5 T→ F	
ϵ 0T2	- id × id \$s5	
ϵ 0T2-5	id × id \$s4	
ϵ 0T2-5id4	× id \$r6 F→ id	
ϵ 0T2-5F3	× id \$s6	
ϵ 0T2-5F3×6	id \$s4	
ϵ 0T2-5F3×6id4	\$r6 F→ id	
ϵ 0T2-5F3×6F3	\$r5 T→ F	
ϵ 0T2-5F3×6T8	\$r4 T→ F×T	
ϵ 0T2-5T2	\$r3 E→T	
ϵ 0T2-5E7	\$r2 E→T-E	
ϵ 0E1	\$accept	

Lecture 28

LR(1) Skeleton Parser

```
stack.push(dummy);
stack.push(0); done = false;
token = scanner.next(); while
(!done) {
    s = stack.top();
    if( Action[s,token] == "reduce
        A→β") { stack.pop(2×|β|);
                s = stack.top();
                stack.push(A);
                stack.push(Goto[s,A]
                    );
            }
    else if( Action[s,token] == "shift i"){
        stack.push(token);
        stack.push(i);
        token = scanner.next();
    }
    else if(Action[s,token] ==
        "accept" && token ==
        "$" )
        done = true;
    else
        report error and recover;
}
report success;
```

Shift/Reduce Conflicts

If a DFA states contains both $[X \rightarrow \alpha \bullet a \beta, b]$ and $[Y \rightarrow \gamma \bullet, a]$ Then on input "a" we could either shift into state $[X \rightarrow \alpha a \bullet \beta, b]$, or reduce with $Y \rightarrow \gamma$. This is called a *shift-reduce conflict*. Typically, this is due to ambiguities in the grammar. The classic example of a shift-reduce conflict is the dangling else. Consider the grammar

$$\begin{aligned} \text{stmt} &\rightarrow \underline{\text{if}} \ E \ \underline{\text{then}} \ \text{stmt} \\ &\quad | \quad \underline{\text{if}} \ E \ \underline{\text{then}} \ \text{stmt} \ \underline{\text{else}} \ \text{stmt} \end{aligned}$$

We will have DFA state containing

[stmt → if E then stmt•, else]
[stmt → if E then stmt •else stmt, x]

If else follows, we can shift

[stmt → if E then stmt else • stmt, x]

or reduce

[stmt → if E then stmt•, else]

Typical action is shift so that else matches with most recent if.



Lecture 29

Shift/Reduce Conflicts

Consider the ambiguous grammar

$$E \rightarrow E + E \mid E \times E \mid \text{int}$$

We will DFA state containing

$$\begin{aligned} & [E \rightarrow E \times E \bullet, +] \\ & [E \rightarrow E \bullet + E, +] \end{aligned}$$

Again we have a shift/reduce conflict. We need to reduce because \times has precedence over $+$

Reduce/Reduce Conflicts

If a DFA state contains both $[X \rightarrow \alpha \bullet, a]$ and $[Y \rightarrow \beta \bullet, a]$, then on input “a” we don’t know which production to reduce with. This is called a *reduce-reduce conflict*. Usually due to gross ambiguity in the grammar.

LR(1) Table Size

LR(1) parsing table for even a simple language can be extremely large with thousands of entries. It is possible to reduce the size of the table. Many states in the DFA are similar.

The *core* of set of LR items is the set of first components without the lookahead terminals. For example the core of the item $\{ [X \rightarrow \alpha \bullet \beta, b], [Y \rightarrow \gamma \bullet \delta, d] \}$ is $\{ X \rightarrow \alpha \bullet \beta, Y \rightarrow \gamma \bullet \delta \}$. Consider the LR(1) states

$$\begin{aligned} & \{ [X \rightarrow \alpha \bullet, a], [Y \rightarrow \beta \bullet, c] \} \\ & \{ [X \rightarrow \alpha \bullet, b], [Y \rightarrow \beta \bullet, d] \} \\ & \} \end{aligned}$$

They have the same core and can be merged. The merged state contains

$$\{ [X \rightarrow \alpha \bullet, a/b], [Y \rightarrow \beta \bullet, c/d] \}$$

These are called the *LALR(1) states*. LALR(1) stands for LookAhead LR(1). This leads to tables that have 10 times fewer states than LR(1).

Here is the algorithm to generate LALR(1) DFA.

1. Repeat until all states have distinct code
2. choose two distinct states with same core
3. merge states by creating a new one with the union of all the items point edges from predecessors to new state
4. new state points to all the previous successors

LALR languages are not natural. They are an efficiency hack on LR languages. Any reasonable programming language has a LALR(1) grammar. LALR(1) has become a standard for programming languages and for parser generators.



Lecture 30

Parser Generators

Parser generators exist for LL(1) and LALR(1) grammars. For example,

- LALR(1) - YACC, Bison, CUP
- LL(1) - ANTLR
- Recursive Descent - JavaCC

YACC Parser Generator

YACC – Yet Another Compiler Compiler, appeared in 1975 as a Unix application. The other companion application Lex appeared at the same time. These two greatly aided the construction of compilers and interpreters. The input to YACC consists of a specification text file. The structure of the file is

definitions

%%

rules

%%

C/C++ functions

Here, for example, is the YACC file for a calculator

```
%token NUMBER LPAREN RPAREN
```

```
%token PLUS MINUS TIMES DIVIDE
```

```
%%
```

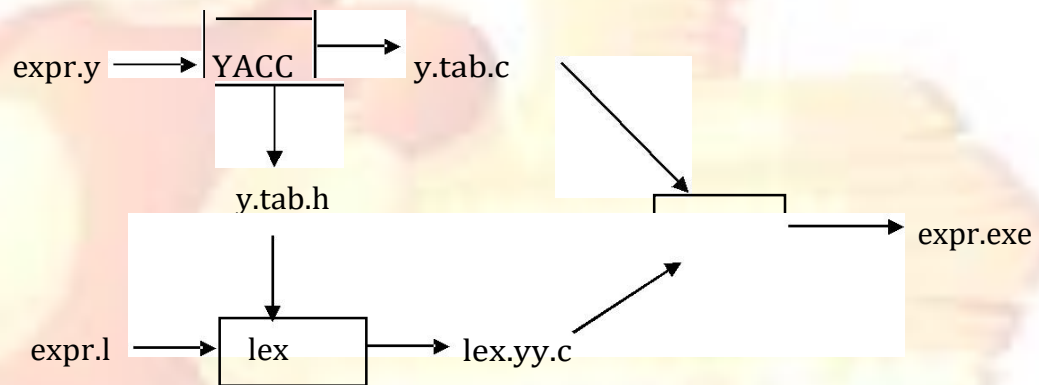
```
  expr : expr PLUS expr
        | expr MINUS expr
        | expr TIMES expr
        | expr DIVIDE expr
        | LPAREN expr RPAREN
        | MINUS expr
        | NUMBER
        ;
```

```
%%
```

The Flex input file for a calculator is

```
%{  
#include "y.tab.h"  
%}  
digit      [0-9]  
ws         [ \t\n]+  
%%  
{ws}      ;  
{digit}+ {return NUMBER;}  
"+"       {return PLUS;}  
"*"       {return TIMES;}  
"/"       {return DIVIDE;}  
"-"       {return MINUS;}  
%%
```

The following diagram outlines the process of building a parser with YACC and Lex.



Lecture 31

Beyond Syntax

These questions are part of context-sensitive analysis. Answers depend on values, not parts of speech. Answers may involve computation.

These questions can be answered by using formal methods such as context-sensitive grammars and attribute grammars or by using ad-hoc techniques.

One of the most popular is the use of attribute grammars.

Attribute Grammars

A CFG is augmented with a *set of rules*. Each symbol in the derivation has a set of values or *attributes*. Rules specify how to *compute* a value for each attribute

Consider the grammar for *signed binary numbers (SBN)*

```
Number  → Sign List
Sign    → + -
List    → List Bit | Bit
Bit     → 0 1
```

The string “-1” can be derived as follows:

```
Number  → Sign List
        → - List
        → - Bit
        → - 1
```

Similarly, the derivation for “-101” is

```
Number  → Sign List
        → Sign List Bit
        → Sign List 1
        → Sign List Bit 1
        → Sign List 0 1
        → Sign Bit 0 1
        → Sign 1 0 1
        → - 1 0 1
```

For an *attributed version of SBN*, the following attributes are needed

<i>Symbol</i>	<i>Attributes</i>
Number	val
Sign	neg
List	pos, val
Bit	pos, val

We will add rules to compute decimal value of a signed binary number

<i>Productions</i>	<i>Attribution Rules</i>
Number \rightarrow Sign List	List.pos \leftarrow 0 if Sign.neg then Number.val \leftarrow - List.val else Number.val \leftarrow List.val
Sign \rightarrow +	Sign.neg \leftarrow false
Sign \rightarrow -	Sign.neg \leftarrow true
List0 \rightarrow List1 Bit	List1.pos \leftarrow List0.pos + 1 Bit.pos \leftarrow List0.pos List0.val \leftarrow List1.val + Bit.val
List \rightarrow Bit	Bit.pos \leftarrow List.pos List.val \leftarrow Bit.val
Bit \rightarrow 0	Bit.val \leftarrow 0
Bit \rightarrow 1	Bit.val \leftarrow $2^{\text{Bit.pos}}$

Attributes are associated with nodes in parse tree. Rules are value assignments associated with productions. Rules and parse tree define an attribute dependence graph which must be acyclic.

Lecture 32

Evaluation Methods

A number of ways can be used to evaluate the attributes. When using *Dynamic method*, the compiler application builds the parse tree and then builds the dependence graph. A topological sort of the graph is carried out and attributes are evaluated or defined in topological order. In *rule-based (or treewalk)* methodology, the attribute rules are analyzed at compiler-generation time. A fixed (static) ordering is determined and the nodes in the dependency graph are evaluated this order. In *oblivious (passes, dataflow)* methodology, the attribute rules and parse tree are ignored. A convenient order is picked at compiler design time and used.

Attribute grammars have not achieved widespread use due to a number of problems. For example: non-local computation, traversing parse tree, storage management for short-lived attributes and lack of high-quality inexpensive tools. However, a variation of attribute grammars and evaluation schemes is used in many compilers. This variation is called *ad-hoc analysis*.

In rule-based evaluators, a sequence of actions is associated with grammar productions. Organizing actions required for context-sensitive analysis around structure of the grammar leads to powerful, albeit ad-hoc, approach which is used on most parsers. A snippet of code (*action*) is associated with each production that executes at parse time. In top-down parsers, the snippet is added to the appropriate parsing routine. In a bottom-up shift-reduce parsers, the actions are performed each time the parser performs a reduction. Here the LR(1) skeleton parser indicating the place where the snippet is executed.

```
stack.push(dummy);
stack.push(0); done = false; token
= scanner.next(); while (!done) {
    s = stack.top();
    if( Action[s,token] == "reduce A→β")
        { invoke the code snippet
          stack.pop(2×|β|);
          s = stack.top();
          stack.push(A);
          stack.push(Goto[s,A]);
        }
    else if( Action[s,token] == "shift i"){
```

```

        stack.push(token);
        stack.push(i); token =
        scanner.next();
    }
}

```

The following table shows the code snippets for the SBN example.

<i>Productions</i>	<i>Code snippet</i>
Number \rightarrow Sign List	Number.val \leftarrow - Sign.val \times List.val
Sign \rightarrow +	Sign.val \leftarrow 1
Sign \rightarrow -	Sign.val \leftarrow -1
List \rightarrow Bit	List.val \leftarrow Bit.val
List ₀ \rightarrow List ₁ Bit	List ₀ .val \leftarrow 2 \times List ₁ .val + Bit.val
Bit \rightarrow 0	Bit.val \leftarrow 0
Bit \rightarrow 1	Bit.val \leftarrow 1

Lecture 33

Implementing Ad-Hoc Scheme

The parser needs a mechanism to pass values of attributes from definitions in one snippet to uses in another. We will adopt notation used by YACC for snippets and passing values. Recall that the skeleton LR(1) parser stored two values on the stack $\langle symbol, state \rangle$. We can replace this with triples $\langle value, symbol, state \rangle$. On a reduction by $A \rightarrow \beta$, the parser pops $3 \times |\beta|$ items from the stack rather than $2 \times |\beta|$. It pushes value along with the symbol.



Lecture 34

Let's go through an example of using YACC to implement the ad-hoc scheme for an arithmetic calculator.

The YACC file for a calculator grammar is as follows:

```
%token NUMBER LPAREN RPAREN
%token PLUS MINUS TIMES DIVIDE
%%
    expr : expr PLUS expr
        | expr MINUS expr
        | expr TIMES expr
        | expr DIVIDE expr
        | LPAREN expr RPAREN
        | MINUS expr
        | NUMBER
    ;
%%
```

We will add the code snippets

```
%{
#include <iostream>
%}
// type of value entries in the parse stack
%union      {int val;}

%token NUMBER LPAREN RPAREN EQUAL
%token PLUS MINUS TIMES DIVIDE
/* associativity and precedence:in order of increasing
   precedence */
%nonassoc  EQUAL
%left PLUS MINUS
%left TIMES  DIVIDE
%left UMINUS /* dummy token to use as
              precedence marker */
%type <val>  NUMBER expr

%%

prog : expr      { cout << $1 << endl;}
Sohail Aslam
```

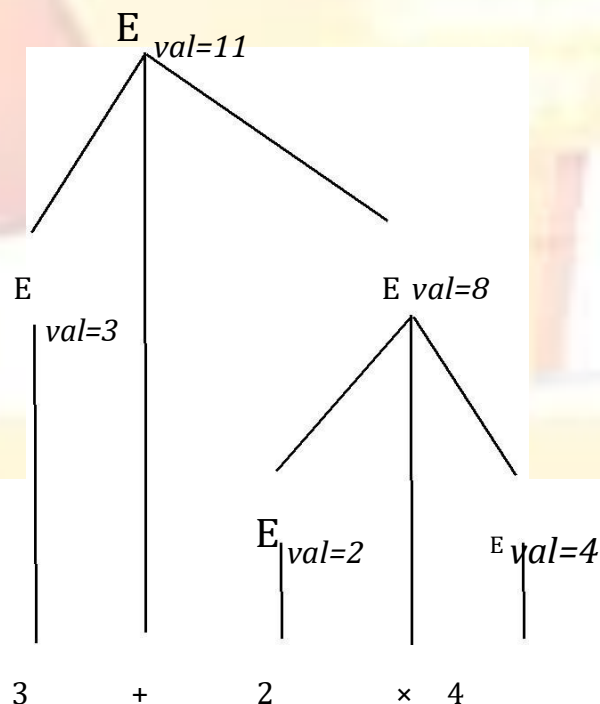
```

;
expr : expr PLUS expr          {$$ = $1 + $3;}
| expr MINUS expr {$$ = $1 - $3;}
| expr TIMES expr {$$ = $1 * $3;}
| expr DIVIDE expr {if($3) $$ = $1 / $3;}
| LPAREN expr RPAREN {$$ = $2;}
| MINUS expr          {$$ = -$2;}
| NUMBER              {$$ = $1;}
;

```

The '\$' notation is used by YACC to refer to values of symbols on the right hand side of the grammar production. For example, for **expr : expr PLUS expr**, **\$1** refers to first **expr** on the right, **\$2** refers to **PLUS** and **\$3** refers to the second non-terminal **expr**. The notation **\$\$** refers to the symbol on the left hand side of the production. Internally, the \$1 refers to the attribute value associated with the first grammar symbol, \$2 with the second, \$3 with the third and so on. These values are stored in the parse stack. The notation **\$\$** instructs YACC to push a computed attribute value on the stack and associate it with the symbol on the left when the reduction takes place.

The following attributed tree shows the values as they are computed in a bottom-up parse



(note: please see the file “**lex_yacc.pdf**” for additional information on using YACC.)

Intermediate Representations

Compilers are organized as a series of passes. This creates the need for an *intermediate representation* (IR) for the code being compiled. Compilers use some internal form– an IR –to represent the code being analyzed and translated. Many compilers use more than one IR during the course of compilation.

The IR must be expressive enough to record all of the useful facts that might be passed between passes of the compiler. During translation, the compiler derives facts that have no representation in the source code. For example, the addresses of variables and procedures are not specified in the code being compiled. Typically, the compiler augments the IR with a set of tables that record additional information. Foremost among these is the *symbol table*. These tables are considered part of the IR

Selecting an appropriate IR for a compiler project requires an understanding of both the source language and the target machines and the properties of the programs to be compiled. Thus, a source-to-source translator e.g., C++ to Java, might keep its internal information in a form quite close to the source. In contrast, a compiler that produces assembly code might use a form close to the target machine’s instruction set.

Lecture 35

IR Taxonomy

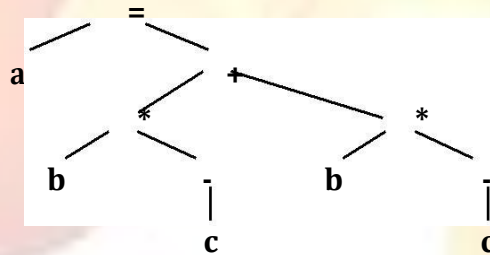
IRs fall into three organizational categories:

1. *Graphical* IRs encode the compiler's knowledge in a graph.
2. *Linear* IRs resemble pseudo-code for some abstract machine
3. *Hybrid* IRs combine elements of both graphical (structural) and linear IRs

Graphical IRs

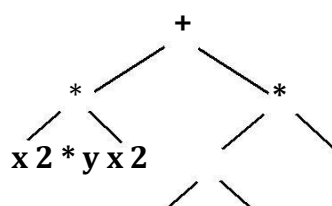
Parse trees are graphs that represent source-code form of the program. The structure of the tree corresponds to the syntax of the source code. Parse trees are used primarily in discussion of parsing and in attribute grammar systems where they are the primary IR. In most other applications, compilers use one of the more concise alternatives. An *abstract syntax tree* (AST) retains the essential structure of the parse tree but eliminates extraneous nodes. Here, for example,

is the AST for the expression $a = b * -c + b * -c$. Notice how all derivation related information has been removed.

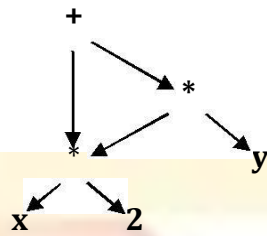


ASTs have been used in many practical compiler systems such as source-to-source systems, automatic parallelization tools, pretty-printing etc.

AST is more concise than a parse tree. It faithfully retains the structure of the original source code. Consider the AST for $x^2 + x^2 * y$



The AST contains two distinct copies of $x*2$. A *directed acyclic graph* (DAG) is a contraction of the AST that avoids duplication.



If the value of x does not change between uses of $x*2$, the compiler can generate code that evaluates the subtree once and uses the result twice.

The task of building AST fits neatly into an ad hoc-syntax-directed translation scheme. Assume that the compiler has routines `mknnode` and `mkleaf` for creating tree nodes. The following rules can be attached to the expression grammar to create AST.

<i>Production</i>	<i>Semantic Rule</i>
$E \rightarrow E1 + E2$	$E.nptr = \text{mknnode}('+', E1.nptr, E2.nptr)$
$E \rightarrow E1 * E2$	$E.nptr = \text{mknnode}('*', E1.nptr, E2.nptr)$
$E \rightarrow - E1$	$E.nptr = \text{mknnode}('-', E1.nptr)$
$E \rightarrow (E1)$	$E.nptr = E1.nptr$
$E \rightarrow \text{num}$	$E.nptr = \text{mkleaf}('num', \text{num.val})$

The following table shows the same rules using YACC syntax.

<i>Production</i>	<i>Semantic Rule (yacc)</i>
$E \rightarrow E1 + E2$	$$.nptr = \text{mknnode}('+', \$1.nptr, \$3.nptr)$
$E \rightarrow E1 * E2$	$$.nptr = \text{mknnode}('*', \$1.nptr, \$3.nptr)$
$E \rightarrow - E1$	$$.nptr = \text{mknnode}('-', \$1.nptr)$
$E \rightarrow (E1)$	$$.nptr = \$1.nptr$
$E \rightarrow \text{num}$	$$.nptr = \text{mkleaf}('num', \$1.val)$

We will use another IR, called *three-address code*, for actual code generation. The semantic rules for generating three-address code for common programming languages constructs are similar to those for AST.

Linear IRs

The alternative to graphical IR is a linear IR. An assembly-language program is a form of linear code. It consists of a sequence of instructions that execute in order of appearance. Two linear IRs used in modern compilers are *stack-machine code* and *three-address code*.

Stack-machine code is sometimes called one-address code. It assumes the presence of an operand stack. Most operations take their operands from the stack and push results back onto the stack. Here, for example, is the linear IR for $x - 2 \times y$

<i>stack-machine</i>	<i>three-address</i>
push 2	$t1 \leftarrow 2$
push y	$t2 \leftarrow y$
multiply	$t3 \leftarrow t1 \times t2$
push x	$t4 \leftarrow x$
subtract	$t5 \leftarrow t4 - t3$

Stack-machine code is compact; it eliminates many names from IR. This shrinks the program in IR form. All results and arguments are transitory unless explicitly moved to memory. Stack-machine code is simple to generate and execute. Smalltalk-80 and Java use byte-codes which are abstract stack-machine code. The byte-code is either interpreted or translated into target machine code (JIT).

In *three-address code* most operations have the form

$$x \leftarrow y \text{ op } z$$

with an operator (**op**), two operands (**y and z**) and one result (**x**). Some operators, such as an immediate load and a jump, will need fewer arguments.

Lecture 36

Three-address code is attractive for several reasons. Absence of destructive operators gives the compiler freedom to reuse names and values. Three-address code is reasonably compact: operations are 1 to 2 bytes; addresses are 4 bytes.

Many modern processors implement three-address operations; a three-address code models their properties well

We now consider *syntax-directed translation* schemes using three-address code for various programming constructs. We start with the *assignment statement*.

Assignment Statement

<i>Production</i>	<i>translation scheme</i>
$S \rightarrow id = E$	{ p = lookup(id.name); emit(p, '=', E.place); }
$E \rightarrow E1 + E2$	{ E.place = newtemp(); emit(E.place, '=', E1.place, '+', E2.place); }
$E \rightarrow E1 * E2$	{ E.place = newtemp(); emit(E.place, '=', E1.place, '*', E2.place); }
$E \rightarrow - E1$	{ E.place = newtemp(); emit(E.place, '=', '-', E1.place); }
$E \rightarrow (E1)$	{ E.place = E1.place; }
$E \rightarrow id$	{ p = lookup(id.name); emit(E.place, '=', p); }

The translation scheme uses a *symbol table* for identifiers and temporaries. Every time the parser encounters an identifier, it installs it in the symbol table. The symbol table can be implemented as a hash table or using some other efficient data structure for table. The routine **lookup(name)** checks if there an entry for the name in the symbol table. If the **name** is found, the routine returns a pointer to entry. The routine **newtemp()** returns a new temporary in response to successive calls. Temporaries can be placed in the symbol table. The routine **emit()** generates a three-address statement which can either be held in memory or written to a file. The attribute E.place records the symbol table location.

Lecture 37

Here is the bottom-up parse of the assignment statement $a = b * -c + b * -c$ and the syntax-directed translation into three-address code.

<i>Parser action</i>	<i>attribute</i>	<i>Three- address code</i>
id=id * -id + id * -id		
id=E1 * -id + id * -id	E1.place = b	
id=E1 * -E2 + id * -id	E2.place = c	
id=E1 * E2 + id * -id	E2.place = t1	t1 = - c
id=E1 + id * -id	E1.place = t2	t2 = b*t1
id=E1 + E2 * -id	E2.place = b	
id=E1 + E2 * -E3	E3.place = c	
id=E1 + E2 * E3	E3.place = t3	t3 = - c
id=E1 + E2	E2.place = t4	t4 = b*t3
id=E1	E1.place = t5	t5 = t2+t4
S		a = t5

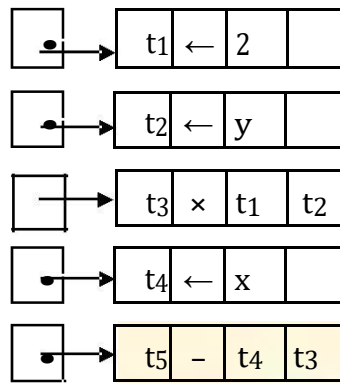
Representing Linear Codes

Three-address codes are often implemented as a *set of quadruples*. Each quadruple has four fields: an operator, two operands (or sources) and a destination. In C++, for example, one can design a quadruple class and then declare a simple array of quadruples. This leads to the following arrangement; the index of the array element acts as the number of quadruple generated.

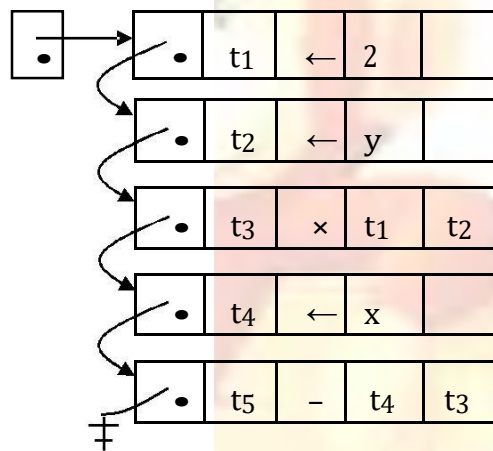
<i>Target</i>	<i>Op</i>	<i>Arg1</i>	<i>Arg2</i>
t1	←	2	
t2	←	y	
t3	×	t1	t2
t4	←	x	
t5	-	t4	t3

An array of pointers to quads can be employed which leads to the following structure:

‡



Both simple array and array of pointers have maximum size limitation. This limitation can be overcome by using a linked list of quads:



Flow-of-Control Statements

We now use the syntax-directed translation scheme for the flow-of-control statements found in most procedural programming languages.

$$\begin{array}{l}
 S \rightarrow \text{if } E \text{ then } S_1 \\
 \quad | \quad \text{if } E \text{ then } S_1 \text{ else } S_2 \\
 \quad | \quad \text{while } E \text{ do } S_1
 \end{array}$$

where E is a boolean expression. Consider the statement

```

if c < d then x = y
    + z
else
    x = y - z

```

One possible 3-address code could be

```

if c < d goto L1 goto

```

```
      L2
L1:   x = y + z
      goto L3
L2:  x = y - z L3:
      nop
```

We will assume that a three-address statement can be symbolically labeled; the function `newlabel()` returns a new symbolic label each time it is called



Lecture 38

Three-Address Statement Types

Prior to proceeding with flow-of-control construct, here are the types of three-Address statements that we will use

- *Assignment statement*
 $x = y \text{ op } z$
 op is a binary arithmetic or logical operation
- *Copy statement*
 $x = y$
value of y is assigned to x
- *Unconditional jump*
goto L
The three-address statement with label **L** is executed next
- *Conditional jump*
if x relop y goto L
 $relop$ is $<$, $=$, $>=$, etc. If x stands in relation $relop$ to y , execute statement with label **L**, next otherwise
- *Indexed assignment*
a) $x = y[i]$
b) $x[i] = y$
In a), set x to value in location i memory units beyond location y .
In b), set contents of location i memory units beyond x to y .

We associate with a boolean expression E two labels (attributes); $E.true$ and $E.false$. The control flows to $E.true$ if the expression evaluates to true, to $E.false$ otherwise. Following is syntax-directed translation for

$S \rightarrow \text{if } E \text{ then } S_1$

$E.true = \text{newlabel}()$

$E.false = S.next$

$S_1.next = S.next$

$S.code = E.code \parallel \text{gen}(E.true ':') \parallel S_1.code$

The attribute “**next**” records the label of the next statement to execute. “**code**” is string-valued attribute that holds the actual code generated in the form of a

character string. The code can be eventually written out to a file. The `||` is the string concatenation operator, that is “hello”`||` “ world” will yield the combined string “hello world”.

Suppose E is “a < b”. E.code would be

```
if a < b goto E.true
goto E.false
```

We will discuss semantic rules for boolean expressions shortly

The syntax-directed translation for

```
S → if E then S1 else S2
```

is

```
E.true = newlabel()
E.false = newlabel()
S1.next = S.next
S2.next = S.next
S.code = E.code || gen(E.true ':') ||
          S1.code ||
          gen('goto' S.next)
          || gen(E.false ':')
          || S2.code
```

Similarly, the syntax-directed translation for the while loop is

```
S → while E do S1
```

```
S.begin = newlabel()
E.true = newlabel()
E.false = S.next
S1.next = S.begin
S.code = gen(S.begin ':') ||
          E.code ||
          gen(E.true ':')
          || S1.code ||
          gen('goto' S.begin)
```

Lecture 39

Boolean Expressions

In programming languages, boolean expressions have two primary purposes:

- compute logical values such as $x = a < b \ \&\& \ d > e$
- conditional expressions in flow-of-control statements

Consider the grammar for Boolean expressions

```
E    →    E or E
      |    E and E
      |    not E
      |    ( E )
      |    id relop
      |    id
      |    true
      |    false
```

We will implement the translation for boolean expressions by flow of control method, i.e., representing the value of a boolean expression by a position reached in the program. Here are the syntax directed translation for the grammar rules

$E \rightarrow id_1 \text{ relop } id_2$

$E.code = \text{gen}(\text{'if' } id_1 \text{ relop } id_2 \text{ 'goto' } E.true) \ || \ \text{gen}(\text{'goto' } E.false)$

$E \rightarrow true$

$E.code = \text{gen}(\text{'goto' } E.true)$

$E \rightarrow false$

$E.code = \text{gen}(\text{'goto' } E.false)$

$E \rightarrow E_1 \text{ or } E_2$

$E_1.true = E.true$

$E_1.false = \text{newlabel}()$

$E_2.true = E.true$

$E_2.false = E.false$

$E.code = E_1.code \ || \ \text{gen}(E_1.false \text{ ':'}) \ || \ E_2.code$

$E \rightarrow E_1 \text{ and } E_2$

$E_1.true = \text{newlabel}()$

$E_1.false = E.false$

$E_2.true = E.true$

$E_2.false = E.false$

```

    E.code = E1.code || gen(E1.true ':') || E2.code
E → not E1
    E1.true = E.false
    E1.false = E.true
    E.code = E1.code

```

```

E → ( E1 )
    E1.true = E.true
    E1.false = E.false
    E.code = E1.code

```

Example: Consider the expression

a < b or c < d and e < f

Suppose the true and false exits for the entire expression are **Ltrue** and **Lfalse**.

The syntax directed translation scheme will generate the code

```

    if a < b goto Ltrue goto
    L1
L1:  if c < d goto L2 goto
    Lfalse
L2:  if e < f goto Ltrue goto
    Lfalse

```

Example: Consider the while statement

```

while a < b
    if c < d then x =
        y + z
    else
        x = y - z

```

The translation scheme will generate the following code:

```

L1:  if a < b goto L2 goto
    Lnext
L2:  if c < d goto L3 goto
    L4
L3:  t1 = y + z x =
    t1 goto L1
L4:  t2 = y - z x =
    t2 goto L1
Lnext:  nop

```

Implementation of Syntax-directed Translation

The easiest way to implement syntax-directed definitions is to use two passes: construct a syntax tree for the input in the first pass and then walk the tree in depth-first order evaluating attributes and emitting code. We would like to use only one pass if possible. The problem in generating three-address code in one pass is that we may not know the labels that the control must go to when we generate jump statements. However, by using a technique called *back-patching*, we can generate code in one pass.

As we generate code, we will generate the jumps (conditional or unconditional) with targets temporarily left unspecified. Each such statement will be put on a list of goto statements that have targets missing. We will fill the labels when the proper label can be determined; this is the backpatching step. Backpatching is especially suited for bottom-up parsers.

Assume that the quadruples are put into a simple array. Labels will be indices into this array.

To manipulate list of goto labels, we will use three functions:

1. `makelist(i)`
creates and returns a new list containing only `i`, the index of quadruple
2. `merge(p1, p2)`
concatenates lists pointed to by `p1` and `p2` and returns the concatenated list.
3. `backpatch(p, i)`
inserts `i` as the target label for each of the goto statements on list pointed to by `p`

We now construct a translation scheme suitable for producing quads (IR) for boolean expressions during bottom-up parsing. The grammar we use

is

E	→	E₁ or M E₂
		E₁ and M E₂
		not E₁
		(E₁)
		id₁ relop id₂
		true
		false

M → **ε**

We will associate synthesized attributes truelist and falselist with the nonterminal E. Incomplete jumps will be placed on these list.

We associate the semantic action

```
{ M.quad = nextquad() }
```

with the production $M \rightarrow \epsilon$. The function nextquad() returns the index of the next quadruple to follow. The attribute **quad** will record this index.

```
1. E → E1 and M E2
   {
       backpatch(E1.truelist,
                 M.quad); E.truelist =
                 E2.truelist;
       E.falselist = merge(E1.falselist, E2.falselist);
   }
```

Let's look at the mechanics. If E₁ is false, E is false because of the and clause. If E₁ is true, we need to evaluate E₂. The start of E₁, i.e., the index of the first quad for E₁ is recorded by M.quad; in a bottom up parse, the reduction $M \rightarrow \epsilon$ will occur before reduction to E₂. The backpatch sets the targets of goto's in E₁.truelist to the start of E₂.

```
2. E → E1 or M E2
   {
       backpatch(E1.falselist, M.quad);
       E.truelist = merge(E1.truelist,
                         E2.truelist); E.falselist = E2.falselist;
   }
```

```
3. E → not E1
   {
       E.truelist =
       E1.falselist;
       E.falselist =
       E1.truelist;
   }
```

```
4. E → ( E1 )
   {
       E.truelist = E1.truelist;
       E.falselist = E1.falselist;
   }
```

```
5. E → id1 relop id2
   {
```

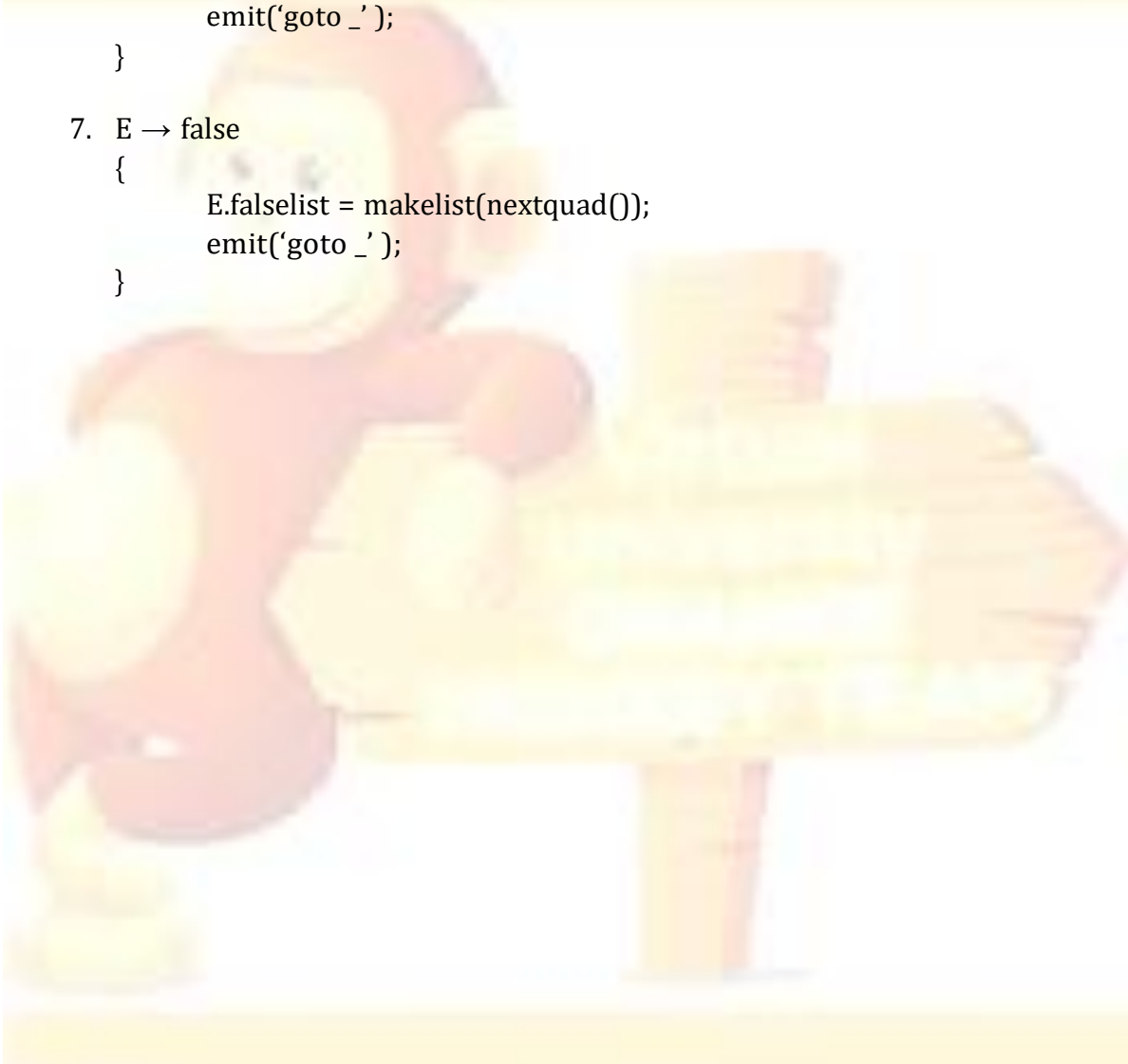
```
E.truelist = makelist(nextquad());  
E.falselist =  
makelist(nextquad()+1);  
emit('if id1 relop id2 'goto _')    ;  
emit('goto _');  
}
```

6. $E \rightarrow \text{true}$

```
{  
    E.truelist = makelist(nextquad());  
    emit('goto _');  
}
```

7. $E \rightarrow \text{false}$

```
{  
    E.falselist = makelist(nextquad());  
    emit('goto _');  
}
```



Lecture 40

Example: consider, the boolean expression

$a < b$ or $c < d$ and $e < f$

Recall the syntax directed translation for the production

```
E → id1 relop id2
{
    E.truelist = makelist(nextquad());
    E.falselist = makelist(nextquad()+1);
    emit('if' id1 relop id2 'goto _') ;
    emit('goto _');
}
```

We carry out a bottom-up parse. In response to reduction of $a < b$ to E, the list E.truelist gets {100} and E.falselist gets {101} and the two quadruples

100: if a < b goto _

101: goto _

are generated. Notice that the goto's are generated with targets. These are precisely the goto's whose quad indices 100 and 101 are recorded in the truelist and falselist attributes of E. These will be patched later in the parse via the backpatching mechanism.

The next reduction to happen is $M \rightarrow \epsilon$ which is in the production

$E \rightarrow E_1$ or $M E_2$

This reduction will eventually take place when reduction to E_2 happens. This marker non-terminal M records the value of nextquad which at this time is 102. Next, the reduction of $c < d$ to E leads to the list E.truelist getting {102}, E.falselist getting {103} and the two quadruples

102: if c < d goto _

103: goto _

are generated.

Next reduction is $M \rightarrow \epsilon$. The marker non-terminal M in the production

$E \rightarrow E_1$ and $M E_2$

records the value of nextquad which at this time is 104, the quad index of first quad of E_2 . Reducing $e < f$ to E causes E .truelist to get {104}, E .falselist to get {105} and the generation of quads

```
104: if e < f goto _
```

```
105: goto _
```

We now reduce by the production

```
 $E \rightarrow E_1 \text{ and } M E_2$ 
```

Recall the semantic actions associated with this rule:

```
 $E \rightarrow E_1 \text{ and } M E_2$   
{  
    backpatch( $E_1$ .truelist,  $M$ .quad);  
     $E$ .truelist =  $E_2$ .truelist;  
     $E$ .falselist = merge( $E_1$ .falselist,  $E_2$ .falselist);  
}
```

The six quadruples generated so far are

```
100: if a < b goto _
```

```
101: goto _
```

```
102: if c < d goto _
```

```
103: goto _
```

```
104: if e < f goto _
```

```
105: goto _
```

The semantic action calls

```
backpatch({102},104)
```

The backpatch fills in 104 as the target of the goto in quad 102.

```
100: if a < b goto _
```

```
101: goto _
```

```
102: if c < d goto 104
```

```
103: goto _
```

```
104: if e < f goto _
```

```
105: goto _
```

The next two semantic actions define E .truelist and E .falselist. This way, the synthesized attributes propagate the attributes up the parse tree.

We now reduce by the production

$E \rightarrow E_1 \text{ or } M E_2$

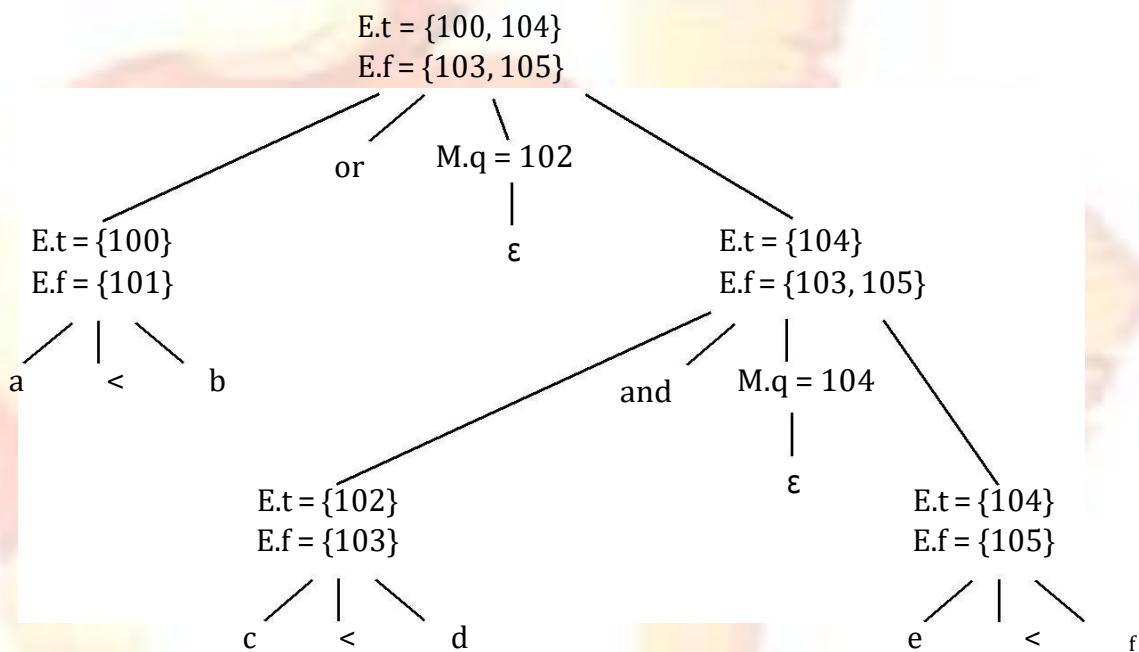
The semantic action calls

`backpatch({101},102)`

which fills in 102 in statement 101:

```
100: if a < b goto _  
101: goto 102  
102: if c < d goto 104  
103: goto _  
104: if e < f goto _  
105: goto _
```

The remaining goto's will have their targets backpatched later in the parse. The attributed parse tree at this stage is



Lecture 41

Flow-of-Control Statements

We now use backpatching to translate flow-of-control statements in one pass. We will use the same list-handling procedures as before.

```
S    →   if E then S
      |   if E then S else S
      |   while E do S
      |   begin L end
      |   A
L    →   L ; S
      |   S
```

The semantic actions associated with each production are

1. $S \rightarrow \text{if } E \text{ then } M_1 S_1 N \text{ else } M_2 S_2$
{
 backpatch(E.truelist, M_1 .quad);
 backpatch(E.falselist, M_2 .quad);
 S .nextlist = merge(S_1 .nextlist, merge(N .nextlist, S_2 .nextlist));
}
2. $N \rightarrow \epsilon$
{
 N .nextlist = makelist(nextQuad());
 emit('goto_');
}
3. $M \rightarrow \epsilon$
{
 M .quad = nextQuad();
}
4. $S \rightarrow \text{if } E \text{ then } M S_1$
{
 backpatch(E.truelist, M .quad);
 S .nextlist = merge(E.falselist, S_1 .nextlist);
}
5. $S \rightarrow \text{while } M_1 E \text{ do } M_2 S_1$
{

```

        backpatch(S1.nextlist, M1.quad);
        backpatch(E.truelist, M2.quad);
        S.nextlist = E.falselist; emit( 'goto' M1.quad);
    }
6. S → begin L end
    {
        S.nextlist = L.nextlist;
    }

7. S → A
    {
        S.nextlist = nil;
    }

8. S → L1 ; M S
    {
        backpatch(L1.nextlist, M.quad);
        L.nextlist = S.nextlist;
    }

9. L → S
    {
        L.nextlist = S.nextlist;
    }

```

Example: Let go through the example with the following input statement

if a < b or c < d and e < f then x = y+z else x = y-z

The bottom-up parse will reduce the compound boolean expression a < b or c < d and e < f to E₁ or M E₂ which we have already covered in the previous example. We thus assume that the quads for the boolean expression have been generated. The sentential form at this stage is

if E₁ or M E₂ then x = y+z else x = y-z

The reduction E → E₁ or M E₂ yields

if E then x = y+z else x = y-z

The semantic actions define the synthesized attributes E.truelist=[100,104] and E.falselist=[103,105].

We now trace the remaining bottom up parse and execute the semantic actions:

if E then M ₁ x=y+z else x=y-z	M ₁ → ε { M ₁ .quad = 106 }
⇒ if E then M ₁ A else x=y-z	A → x=y+z { emit('x=y+z') }
⇒ if E then M ₁ S ₁ else A	S ₁ → A { S ₁ .nextlist = nil }
⇒ if E then M ₁ S ₁ N else x=y-z	N → ε { N.nextlist = [107] emit('goto _') }
⇒ if E then M ₁ S ₁ N else M ₂ x=y-z	M ₂ → ε { M ₂ .quad = 108 }
⇒ if E then M ₁ S ₁ N else M ₂ A	A → x=y-z { emit('x=y-z') }
⇒ if E then M ₁ S ₁ N else M ₂ S ₂	S ₂ → A { S ₂ .nextlist = nil }
⇒ S	{ backpatch([100,104],106) backpatch([103,105],108) S.nextlist=[107]}

The array of quadruples at this stage will contain

100	if a < b goto 106
101	goto 102
102	if c < d goto 104
103	goto 108
104	if e < f goto 106
105	goto 108
106	x=y+z
107	goto _
108	x=y-z
109	

Semantic Actions in YACC

The syntax-directed translation statements can be conveniently specified in YACC

The **%union** will require more fields because the attributes vary. The actual mechanics will be covered in the handout for the syntax-directed translation phase of the course project



Lecture 42

Code Generation

The code generation problem is the task of mapping intermediate code to machine code. The generated code must be correct for obvious reasons. It should be efficient both in terms of memory space and execution time.

The input to the code generation module of compiler is intermediate code (optimized or not) and its task is typically to produce either machine code or assembly language code for a target machine.

The code generation module has to tackle a number of issues.

- Memory management: mapping names to data objects in the run-time system.
- Instruction selection: the assembly language instructions to choose to encode intermediate code statements
- Instruction scheduling: instruction chosen must utilize the CPU resources effectively. Hardware stalls must be avoided.
- Register allocation: operands are placed in registers before executing machine operation such as ADD, MULTIPLY etc. Most processors have a limited set of registers available. The code generator has to make efficient use of this limited resource

For our discussion, we will target a machine that has the following general characteristics. Most actual processors are similar to such architecture.

The machine is byte-addressable with 4-byte words. It has N general -purpose registers. It uses two-address instructions of the form *op source, destination*. The target assembly language operations are:

- MOV source, destination
- ADD source, destination
- SUB source, destination (dest = dest – source)
- GOTO address
- CJ conditional jump

More instruction will be added to the instruction set as needed.

The following table presents the addressing modes for source or destination operands.

MODE	FORM	ADDRESS	ADDED COST
absolute	M	M	1
register	R	R	0
indexed	c(R)	c + contents(R)	1
indirect register	*R	contents(R)	0
indirect indexed	*c(R)	contents(c+contents(R))	1
literal	#c	c	1
stack	SP	SP	0
indexed stack	c(SP)	c + contents(SP)	1

We associate a cost with each instruction. This will allow us to compute the cost of generated code. The cost corresponds to length of instruction. For example the instruction

MOV R0,R1 ; R0 = c(R1)

has cost 1 while

MOV R5,M ; M = c(R5)

has cost 2: 1 for instruction, 1 additional for memory address. The column title "ADDED COST" indicates this additional cost.

Simple Code Generation

We start with a simple code generation strategy: define a target code sequence for each intermediate code (such as 3-address code) statement type. Thus,

Intermediate code	becomes...
a = b	MOV b,a
a = b[c]	MOV addr(b),R0 ADD c, R0 MOV *R0,a
a = b + c	MOV b,a ADD c,a
a[b] = c	MOV addr(a),R0 ADD b,R0 MOV c,*R0

Consider the C statement: a[i] = b[c[j]]; the simple code generator will emit

t1 := c[j]	MOV addr(c), R0 ADD j, R0 MOV *R0, t1
t2 := b[t1]	MOV addr(b), R0 ADD t1, R0 MOV *R0, t2
a[i] := t2	MOV address(a), R0 ADD i, R0 MOV t2, *R0

The cost of this code is 18 and we are forced to allocate space for two temporaries. While the simple approach works, it does not produce good code. There a number of reasons for this. The generator considers each IR (3-address in this case) alone and makes local decision. It does not take temporary variables into account. One optimization possible is to get rid of the temporaries:

```
MOV addr(c), R0
ADD j, R0
MOV addr(b), R1
ADD *R0, R1
MOV addr(a), R2
ADD i, R2
MOV *R1, *R2
```

The cost of this code is 12. We can optimize further:

```
MOV addr(c), R0
ADD j, R0
MOV addr(a), R2
ADD i, R2
MOV *addr(b)(R0), *R2
```

The cost of this code is 10. What is needed is a way to generate machine code based on past and future use of the data.

Lecture 43

Control Flow Graph - CFG

A *control flow graph* is the triplet $CFG = \langle V, E, Entry \rangle$, where V = vertices or nodes, representing an instruction or *basic block* (group of statements), $E = (V \times V)$ edges, potential flow of control. Entry is an element of V , the unique program entry.

Basic Blocks

A *basic block* is a sequence of consecutive statements with single entry/single exit. Flow of control only enters at the beginning and only leaves at the end. There can be variants of basic blocks with single entry/multiple exit, multiple entry/single exit.

Generating CFGs

In order to generate a CFG, we partition the intermediate code (3-address code, for example) into basic blocks. Edges are added corresponding to control flow between blocks. An unconditional goto in the IR will lead to a single edge to another or the same block. A conditional goto will lead to multiple edges. If there is no goto at the end of a block, the control passes to first statement of next block.

Here is the algorithm for partitioning intermediate code into basic blocks. The input to the algorithm is a sequence of three-address statements. The algorithm will output a list of basic blocks with each three-address statement in exactly one block.

Algorithm: partition 3-address statements into basic blocks:

1. Determine the set of leaders – the first statements of basic blocks. The rules are:
 - The first statement is a *leader*
 - Any statement that is the target of a conditional or unconditional goto is a leader
 - Any statement that immediately follows a goto or conditional goto is a leader

- For each leader, its basic block consists of the leader and all statements up to but not including the next leader or the end of the program

Example: consider the C fragment for computing dot product $a^T b$ of two vectors a and b of length 20

$$a^T b = a_1 b_1 + a_2 b_2 + \dots + a_{20} b_{20}$$

```
prod = 0; i =
1; do {
    prod = prod + a[i]*b[i]; i = i + 1;
} while ( i <= 20 );
```

The 3-address code for the dot product with the two leaders highlighted

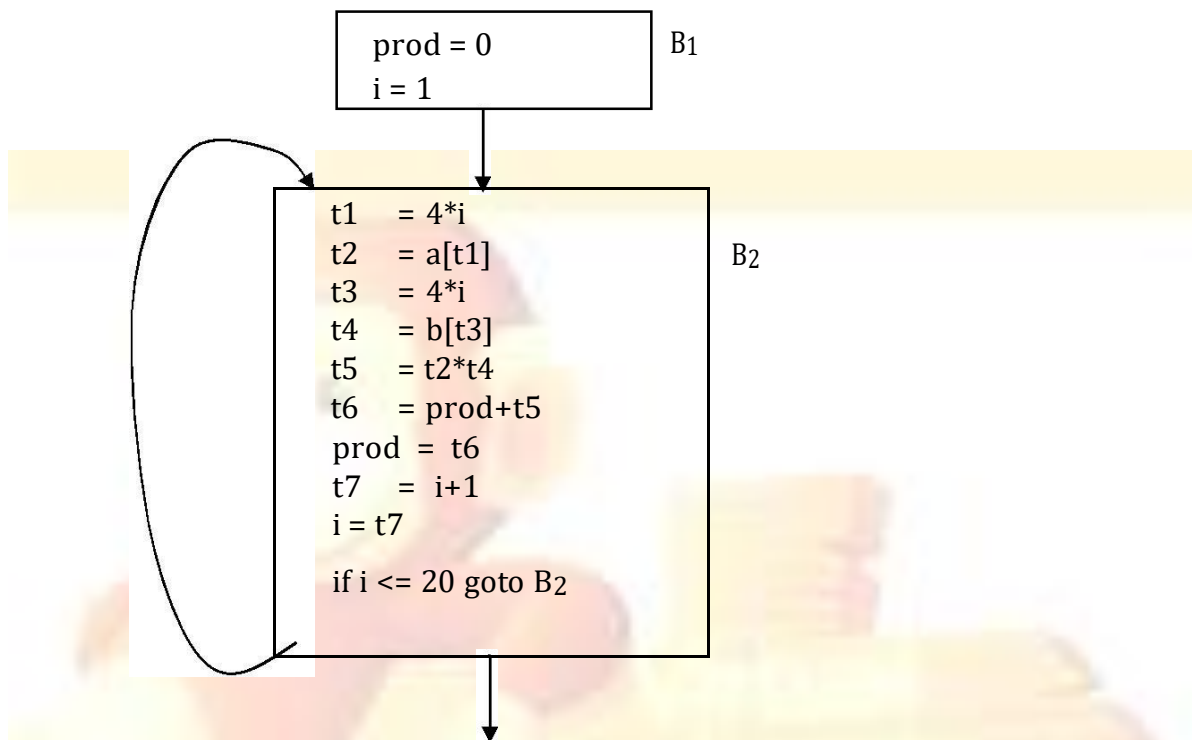
```

1    prod = 0
2    i = 1
3    t1 = 4*i      /* offset */
4    t2 = a[t1]     /* a[i] */
5    t3 = 4*i
6    t4 = b[t3]     /* b[i] */
7    t5 = t2*t4
8    t6 = prod+t5
9    prod = t6
10   t7 = i+1
11   i = t7
12   if i <= 20 goto (3)
```

The two basic blocks are

1	prod = 0	
2	i = 1	B1.
3	t1 = 4*i	/* offset */
4	t2 = a[t1]	/* a[i] */
5	t3 = 4*i	
6	t4 = b[t3]	/* b[i] */
7	t5 = t2*t4	
8	t6 = prod+t5	
9	prod = t6	
10	t7 = i+1	
11	i = t7	
12	if i <= 20 goto (3)	B2.

This yields the following CFG; note that the target of the condition goto at the end of the second block has been replaced by reference to block 2.



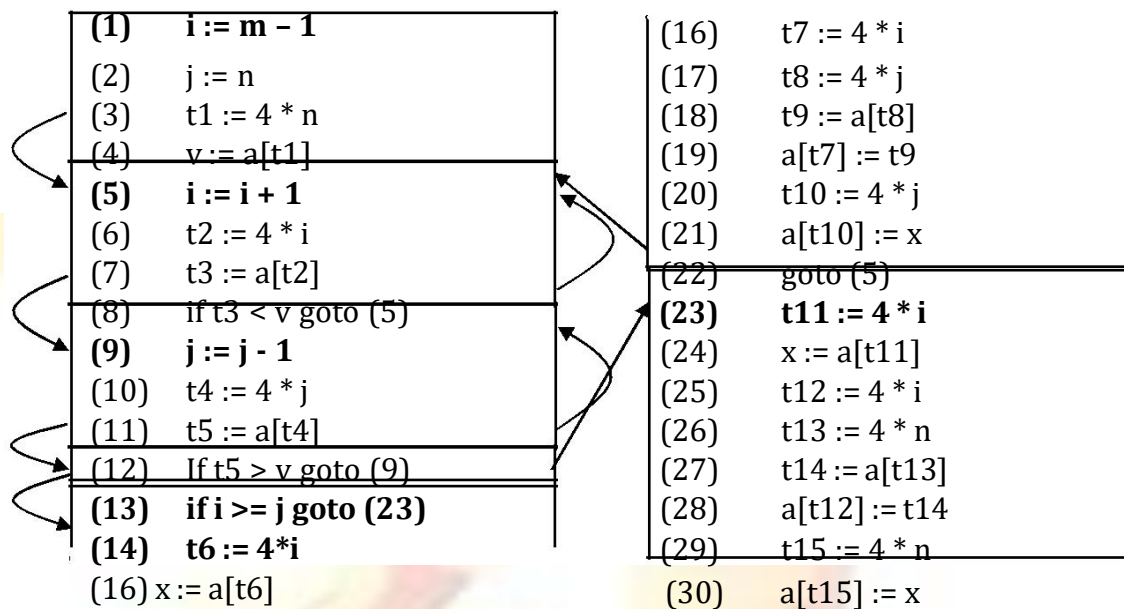
Let us consider a more complex example. Here is the quicksort algorithm encoded as a recursive function in C++

```

i = 1 Quick
Sort
void quicksort(int m, int n)
{
    int i,j,v,x;
    if( n <= m ) return; i=m-1;
    j=n; v=a[n]; while(true) {
        do i=i+1; while( a[i] < v); do j=j-1;
        while( a[j] > v); i( i >= j ) break;
        x=a[i]; a[i]=a[j]; a[j]=x;
    }
    x=a[i]; a[i]=a[n]; a[n]=x; quicksort(m,j);
    quicksort(i+1,n);
}

```

The 3-address for the highlighted portion of the routine (the recursive calls have been left out) with the leaders highlighted and the resulting CFG is



Basic Block Code Generation

The code generation can be carried out at the basic block level. A number of strategies are available to generate code from a basic block. The three we will discuss are

1. Basic - using liveness information
2. Using DAGS - node numbering
3. Register Allocation

In case of the basic code generation strategy, the generator deals with each basic block individually to emit machine code for the block using liveness information. At the end of the block, the generator emits code to save any live values left in registers.

Computing Live/Next Use Information

For the statement:

$x = y + z$

x has a *next use* if there is a statement s that references x and there is some way for control to flow from the original statement to s .

$x = y + z$

.....

.....

$s \quad t1 = x - t3$

A variable is *live* at a given point in time if it has a next use. Liveness tells us whether we care about the value held by a variable. Here is the algorithm for computing live status of variables in a basic block”

Algorithm: Computing live status

Input:

A basic block.

Output:

For each statement, set of live variables

Method:


1. Initially all non-temporary variables go into live set.
2. for $i =$ last statement to first statement:
for statement $i: x = y \text{ op } z$
attach to statement i , current live set. remove x from set.
add y and z to set.

Lecture 44

Example: let us apply the algorithm to the following segment of 3-address code:

```
a = b + c
t1 = a * a
b = t1 + a
c = t1 * b
t2 = c + b
a = t2 +
t2
```

```
live = {b,c}
a = b + c
live = {a}
t1 = a * a
live = {a,t1}
b = t1 + a
live = {b,t1}
c = t1 * b
live = {b,c}
t2 = c + b
live = {b,c,t2}
a = t2 + t2
live = {a,b,c}
```



Basic Code Generation

With live/next use information computed, the basic code generation algorithm proceeds as follows. Process the 3-address instructions from beginning to end of a block. For each instruction, use machine registers to hold operands whenever possible. A non-live value in a register can be discarded, freeing that register. The code generator uses two data structures for keeping track of register usage:

1. Register descriptor - register status (empty, inuse) and contents (one or more "values")
2. Address descriptor - the location (or locations) where the current value for a variable can be found (register, stack, memory)

Instruction type: $x = y \text{ op } z$

1. If y is non-live and in register R (alone) then generate

OP z', R

where z' = best location for z. i.e., lookup address descriptor for z. Prefer register location if z is present in a register.

2. If operation is commutative, z is non-live and is in register R (alone), generate

OP y', R

(y' = best location for y)

3. If there is a free register R, generate

MOV y', R

OP z', R

4. Use a memory location. Generate

MOV y',x

OP z',x

After generating machine instructions, update information about the current best location of x. If x is in a register, update that register's information (descriptor). If y and/or z are not live after this instruction, update register and address descriptors according.

Let us return to the 3-address code example and apply the basic code generation algorithm. Recall the basic block with liveness information:

```
live = {b,c}
a = b + c
live = {a}
t1 = a * a
live = {a,t1}
b = t1 + a
live = {b,t1}
c = t1 * b
live = {b,c}
t2 = c + b
live = {b,c,t2}
a = t2 + t2
live = {a,b,c}
```

Initially

three registers:

(-, -, -) all

empty current

values:

(a,b,c,t1,t2) = (m,m,m, -, -)

1: a = b + c,

Live =

a

getreg(): L = R1

MOV b,R1

ADD c,R1 ; R1 := R1 + c

Registers: (a, -, -)

current values: (R1,m,m, -, -)

2: t1 = a * a, Live

= a,t1

L = R2 (since a is
live) MOV

R1,R2

MUL R2,R2 ; R2 = R2* R2

Registers: (a,t1, -)

current values: (R1,m,m,R2, -)

3: b = t1 + a,

Live = b,t1

Since a is not live L = R1

ADD R2,R1 ; R1 = R1+R2

Registers: (b,t1, -)

current values: (m,R1,m,R2, -)

4: c = t1 * b, Live

= b,c

Since t1 is not live L = R2

MUL R1,R2 ; R2 = R1*R2

Registers: (b,c, -)

current values: (m,R1,R2, -, -)

5: t2 = c + b,

Live =

b,c,t2 L =

R3

MOV R2,R3

ADD R1,R3 ; R3 = R1+R2

Registers: (b,c,t2)

current values: (m,R1,R2, -,R3)

6: a = t2 + t2,

Live =

a,b,c

ADD R3,R3

Registers: (b,c,a)

current values: (R3,R1,R2,-,R3)

End of block

move all live variables to

memory: MOV R3,a

MOV R1,b

MOV R2,c

all registers

available

Thus the machine code (assembly language) generated is

```
; a := b + c
    LOAD b,R1
    ADD c,R1      ; R1 := R1 + c
; t1 := a * a
    MOV R1,R2
    MUL R2,R2    ; R2 = R2 * R2
; b := t1 + a
    ADD R2,R1    ; R1 = R1 + R2
; c := t1 * b
    MUL R1,R2    ; R2 = R1 * R2
; t2 := c + b
    MOV R2,R3
    ADD R1,R3    ; R3 = R1 + R2
; a := t2 + t2
    ADD R3,R3
    MOV R3,a     ; mov live
                ; var to
                ; memory
    MOV R1,b
    MOV R2,c
```

Lecture 45

Liveness information allows us to keep values in registers if they will be used later. An obvious concern is why do we assume all variables are live at the end of blocks? Why do we need to save live variables at the end? It seems reasonable to perceive that we might have to reload them in the next block. To do this, we need to determine live/next use information across blocks and not just within a block. This requires global data-flow analysis.

Global Data-Flow Analysis

A Directed Acyclic Graph (DAG) for a basic block has the following labels for the nodes:

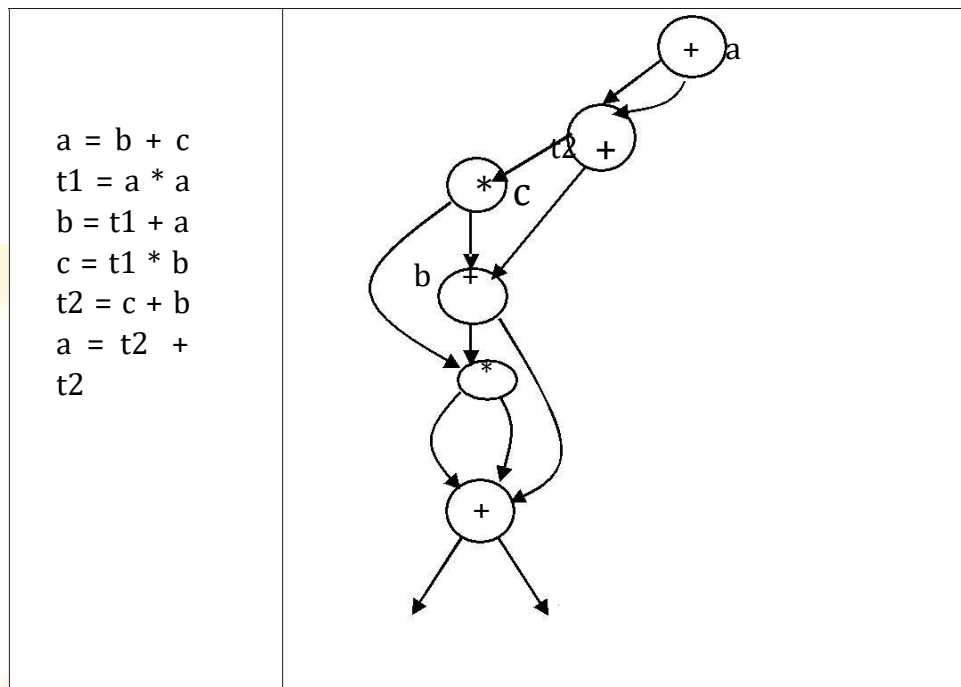
- Leaves are labeled by unique identifiers.
- Interior nodes are labeled by operator symbols.
- Nodes can have multiple labels since they represent computed values.

Algorithm: Generate DAG from 3-address code

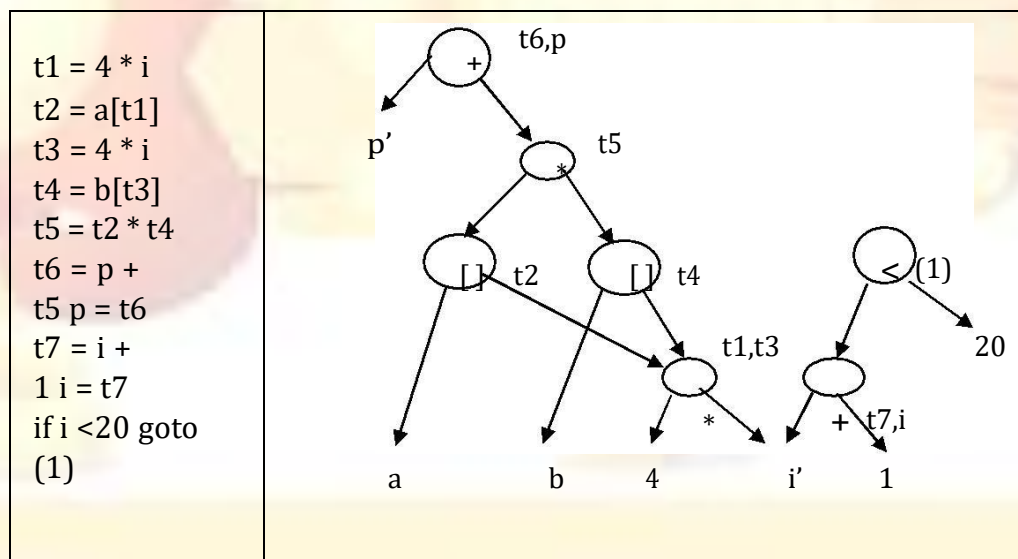
For statement $i: x = y \text{ op } z$

- if $y \text{ op } z$ node exists,
 add x to the label for that node.
 else
 add node for $y \text{ op } z$.
- if y or z exist in the dag,
 point to existing locations
 else
 add leaves for y and/or z and
 have the op node point to
 them.
- label the op node with x .
- if x existed previously as a leaf,
 subscript that previous
 entry.
- if x is associated with other interior nodes,
 remove them from that list.

Here and an example of the DAG generated for the 3-address code



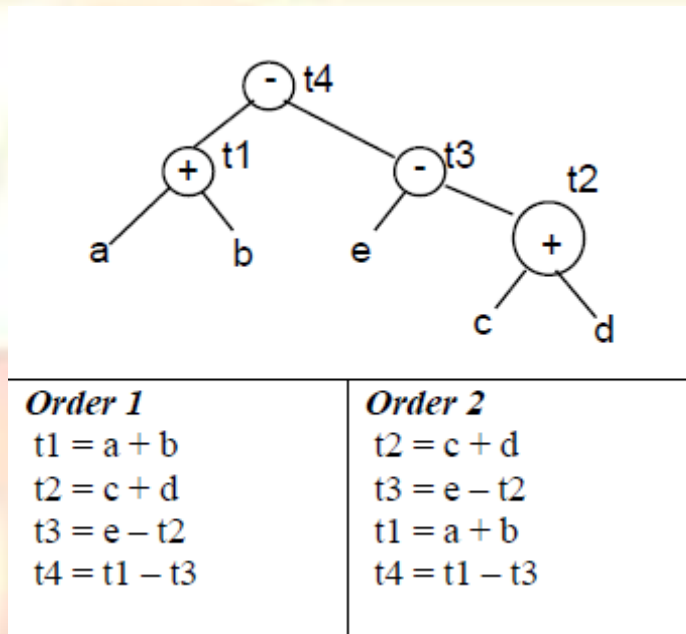
Here is another example



DAGs and optimization

DAGs play an important role in code optimization. It is possible to detect *common sub-expressions* and eliminate them; a node in the DAG with more than one parent is common sub-expression.

The order in which the DAG is traversed can lead to better code. For example, the following DAG can be traversed in two ways:



The code generated for order one with 2 registers is

```
MOV a, R0
ADD b, R0
MOV c, R1
ADD D, R1
MOV R0, t1
MOV e, R0
SUB R1, R0
MOV t1, R1
SUB R0, R1
MOV R1, t4
```

Ten machine instructions are generated.

Whereas, order #2 with 2 registers leads to

```
MOV c, R0
ADD D, R0
```

```
MOV e, R1
SUB R0,R1
MOV a,R0
ADD b, R0
MOV R0,t4
```

Only seven instructions are required, a saving of three machine instructions. Reordering improved code because computation of t4 immediately followed computation of t1, its left operand. t1 must be in a register and it is.

Register Allocation

Registers in a machine are a scarce resource. The issue faced by the code generator is this how to best use the bounded number of registers. The matter is complicated by the fact that a few registers are reserved for special purposes. For example, the program counter is kept in a registers. A register is used for the keeping track of the top of the function call stack. Certain operators require multiple registers, often in pairs. Division is an example of such an operator.

The general register allocation problem is NP- complete. Heuristic algorithms exist to solve the problem. One such strategy is the by using the *graph coloring* algorithm: given a graph, color the nodes with different colors such that no two nodes that have an edge between them have the same color. Here is how the graph coloring algorithm can be used to compute register allocation for K registers in a machine.

Algorithm: K registers allocation with graph coloring

1. Compute liveness information.
2. Create interference graph G
3. one node for each variable, an edge connects two variables if one is live at a point where the other is defined
4. Simplify: for any node m with less than K neighbors, remove it from the graph and push it onto a stack. If $(G - m)$ can be colored with K colors, so can G. If we reduce the entire graph, goto step 5.
5. Spill: if we get to the point where we are left with only nodes with degree $\geq K$, mark some node for potential spilling (to memory). Remove and push onto stack. Back to step 3.
6. Assign colors: starting with empty graph, rebuild graph by popping elements off the stack and assigning a color different from neighbors.

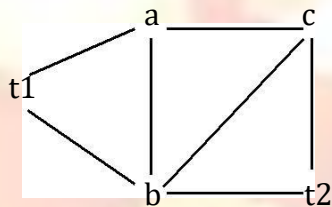
Potential spill nodes may or may not be colorable.

Process may require iterations and rewriting of some of the code to create more temporaries.

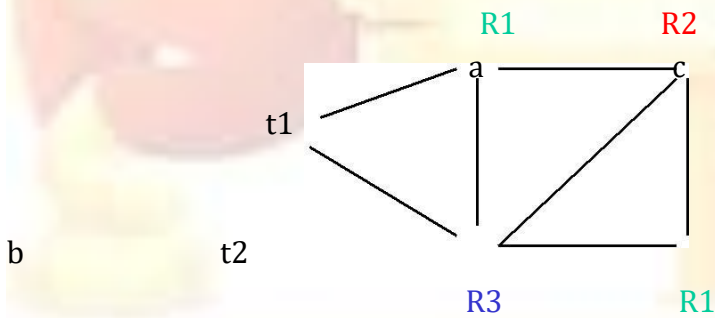
Let us apply the algorithm to the following 3-address code

a	= b + c	<i>live</i> {a}
t1	= a * a	{t1,a}
b	= t1 + a	{b,t1}
c	= t1 * b	{b,c}
t2	= c + b	{b,c,t2}
a	= t2 + t2	{a,b,c}

The interference graph generated is



Upon coloring the nodes, the final register allocation assuming 3 registers is





CS606-Compiler
Construction
(Solved Macq's)
LECTURE FROM
(23 to 45)



Junaidfzal08@gmail.com
Bc190202640@vu.edu.pk

FOR MORE VISIT
VULMSHELP.COME

JUNAID MALIK
0304-1659294

AL-JUNAID TECH INSTITUTE



www.vulmshelp.com



Language Courses Training Available

I'm providing paid courses in different languages within 3 Months, Certificate will be awarded after completion.

- HTML
- CSS
- JAVASCRIPT
- BOOTSTRAPS
- IQUERY
- PHP MYSQL
- NODES.JS
- REACT JS

LMS Handling Services

LMS Activities Paid Task

Assignments 95% Results

Quizes 95% Results

GDB 95% Results

For CS619 Project Feel Free To Contact With Me

Ph# 0304-1659294
Email: junaidfzal08@gmail.com

AL-JUNAID TECH INSTITUTE

1. ____ convert the relocatable machine code into absolute machine code by linking library and relocatable object files.
 - Assembler
 - **Loader/link-editor**
 - Compiler
 - Preprocessor
2. Parsers take __ as input from lexical analyzer.
 - Linker
 - **Token**
 - Instruction
 - None of the given
3. The regular expression _ denotes, the set of all strings of a's and b's of length two
 - a^*
 - $(a^*|b^*)^*$
 - $(a^*b^*)^*$
 - **$(a|b)(a|b)$**
4. _____ is a regular expression for the set of all strings over the alphabet $\{a\}$ that has an even number of a's.
 - **aa^***
 - $(aa)^*$
 - aa^*a
 - $a(aa)^*$
5. _____ Phase supports macro substitution and conditional compilation.
 - Semantic
 - Syntax
 - **Preprocessing**
 - None of given
6. In LL(1) parsing algorithm, _ contains a sequence of grammar symbols.
 - **Stack PG # 62**
 - Link List
 - Array
 - None of the given.
7. Consider the grammar

AL-JUNAID TECH INSTITUTE

$A \rightarrow B C D$

$B \rightarrow h B | \epsilon$

$C \rightarrow C g | g | C h | i$

$D \rightarrow A B | \epsilon$

First of A is _____.

- h, g, i
 - g
 - h
 - None of the given.
8. _____ parsers never shifts into an error state.
- LS
 - LT
 - LR
 - LP
9. In parser, the two LL stand for__.
- Left-to-right scan of input
 - left-most derivation
 - Left-to-right scan of input and left-most derivation
 - None of the given
10. _____ is elaborated to produce bindings.
- Declaration
 - Expression
 - Command
 - None of the given
11. _____ A lexical analyzer generated by _____ is essentially a FSA.
- Dex
 - Mex
 - Fex
 - Lex
12. A lexical analyzer generated by lex is essentially a PDA (Push Down Automaton).
- True
 - False
13. _____

PG # 54

AL-JUNAID TECH INSTITUTE

The actions (shift, reduce) in a SLR(1) parser depend on a look ahead symbol (_____)

- Current input token
- Next Input Token
- Previous output Token
- Previous Input Token.

14. The following grammar contains a conflict. $S \rightarrow A \mid xb$

- Shift-Reduce
- First-Reduce
- Shift-First
- Reduce-Reduce

15. $S \rightarrow A \mid xb$
 $A \rightarrow aAb \mid x$
This grammar contains a _____ conflict.

- Shift-Reduce
- First-Reduce
- Shift-First
- Reduce-Reduce

16. Consider the Following
 $S \rightarrow AB$

- 1
- 2
- 3
- 4

17. _____ is a register allocation technique that *always* finds the minimal number of registers needed for a procedure.

- Dangling reference
- Graph coloring
- Left Factoring
- Right Recursion

18. Graph coloring is a register allocation technique that operates at *individual* basic blocks.

- True
- False

AL-JUNAID TECH INSTITUTE

19. Graph coloring is a register allocation heuristic that *usually* finds the minimal number of registers needed for a procedure.

- True
- False

20. $S \rightarrow a S \mid Sa \mid c$

This grammar is ambiguous.

- True
- False

21. When generating code at the basic block level, the dependency graph must be converted to target code. By identifying instruction selection and instruction ordering can be performed efficiently in a single pass.

- Ladder sequences
- Physical sequences
- Logical sequences
- Token sequences

22. _____ can be considered a small compiler since it transforms a source language (assembly) into a less abstract target language (binary object code)

- Parser
- Assembler
- Lexical analyzer
- Scanner

23. When memory allocator operates on chunks which include some administrative part and a block of user data. The administrative part includes _____ flag for marking the chunk as free or in-use.

- One
- Two
- Three
- Four

24. _____ parser transforms a stream of tokens into an _____.

- AST

AL-JUNAID TECH INSTITUTE

- IST
- EST
- ATS

25. The parser generator yacc can handle _____ grammars

- LL(1)
- LT(1)
- LS(1)
- LF(1)

26. The parser generator yacc can handle LL(1) grammars.

- True
- False

27. The yacc parser generator can handle LALR(1) grammars.

- True
- False

28. Simple code generation considers one AST node at a time. If the target is a *register* machine, the code can be generated in one __ traversal of the AST, possibly introducing temporaries when running out of registers.

- Depth-first
- Breadth-first
- Depth-second
- Breadth-second

29. A linker combines multiple object files into a _____ executable object.

- Single
- Double
- Triple
- Quadruple

30. The notation _____ instructs YACC to push a computed attribute value on the stack.

- \$\$ PG # 106
- &&
- ##
- --

31. The following two items

AL-JUNAID TECH INSTITUTE

$A \rightarrow P \cdot Q$

$B \rightarrow P \cdot Q$

can co-exist in an ___ item set

- LR
- LS
- LT
- PR

32. When generating a lexical analyzer from a _____ description, the item sets (states) are constructed by two types of “moves”: character moves and ϵ moves.

- Character
- Grammar
- Token
- Sentence

33. Hybrid IRs combine elements of _____

- Graphical (structural)
- Linear IRs
- Both graphical and linear IRs PG # 108
- Non-Linear IRs

34. $x[i] = y$ This is _____.

- Prefix assignment
- Postfix assignment
- Index assignment PG # 115
- Non-Index assignment

35. A lexical analyzer generator automatically constructs a _____ that recognizes tokens.

- FA PG # 18
- PDA
- DP
- Unidirectional Graph

36. if x relop y goto L Above statement is _____

- Abstract jump

AL-JUNAID TECH INSTITUTE

- Conditional jump PG # 115
- While loop
- Unconditional jump

37.I

In a CFG (Context Free Grammar) the set of terminal and non-terminal symbols must be.

- Disjoint
- Logical
- Relational
- Joint

38. $S \rightarrow a | B$

$B \rightarrow Bb | \epsilon$

The non-terminal B is left recursive.

- True
- False

39.

YACC contains built-in support for handling ambiguous grammars resulting in conflicts.

- Shift-reduce
- Shift-Shift
- Reduce-reduce
- Reduce-Shift
- Segment-directed

43. When constructing an LR(1) parser we record for each item exactly in which context it appears, which resolves many conflicts present in parsers based on FOLLOW sets.

- SLR(1)
- LRS(1)
- RLS(1)
- SLL(1)

44. Code generation module has to tackle _____.

- Memory management
- Instruction selection
- Instruction scheduling
- All of the given PG # 129

AL-JUNAID TECH INSTITUTE

45. For convenience, lexical analyzers should read the complete program into memory.

- Input
- Output
- Input and output
- Tokens

40. Considering the following grammar:

$S \rightarrow A \mid x$

$A \rightarrow aAb \mid x$

The grammar contains a ___ conflict.

- Reduce-reduce
- First-first
- Shift-shift
- Shift-reduce

41. SLR (1) parsers only reduce a production rule when the current input token is an element of the FOLLOW set of that rule.

$S \rightarrow A B$

$A \rightarrow \epsilon \mid aA$

$A \rightarrow b \mid bB$

- FOLLOW (A) contains 2 elements.

- True
- False

42. SLR (1) parsers only reduce a production rule when the current input token is an element of the FOLLOW set of that rule.

$S \rightarrow A B$

$A \rightarrow a \mid aA$

$B \rightarrow \epsilon \mid bB$

- FOLLOW (A) contains 2 elements.

- True
- False

AL-JUNAID TECH INSTITUTE

43. The order in which the DAG is traversed can lead to _____ code

- Better PG # 143
- Worse
- Large
- Garbage

44. Register allocation problem uses the strategy of _____.

- Graph coloring PG # 144
- Graph nodding
- Graph edging
- Graph patching

48. Typical compilation means programs written in high-level languages to low-level

- Object code PG # 06
- Byted code
- Unicode
- Object code and byte code

45. In compilation process, Hierarchical analysis is also called_.

- Parsing
- Syntax analysis.
- Parsing and syntax analysis
- None of the given

46. IR (Intermediate Representation) stores the value of its operand in_____.

- Registers PG # 10
- Memory
- Hard disk
- None of the given

47. exeme is a sequence of characters in the source program that is matched by the pattern for a.

- Linker

AL-JUNAID TECH INSTITUTE

- **Token**
 - Control flow
 - None of the given
48. Parsers take ___ as input from lexical analyzer.

- Linker
 - **Token**
 - Instruction
 - None of the given
49. What kind of abstract machine can recognize strings in a regular set?

- **DFA**
 - NFA
 - PDA
 - None of the given
53. In DFA minimization, we construct one ___ for each group of states from the initial DFA.

- **State PG # 30**
 - NFA
 - PDA
 - None of the given
50. _____ (Lexical Analyzer generator), is written in java.

- Flex
 - **Jlex PG # 31**
 - Complex
 - None of the given
51. In Flex specification file, different sections are separated by ___.

- **%% PG # 31**
 - &&
 - ##
 - None of the given
52. Recursive ___ parsing is done for LL(1) grammar.

- **Decent**
- Ascent

AL-JUNAID TECH INSTITUTE

- Forward
- None of the given

56. Alternative of the backtrack in parser is Look ahead symbol in_.

- **Input**
- Output
- Input and output
- None of the given

53. Parser takes tokens from scanner and tries to generate _____

- Binary search tree
- **Parse tree**
- Binary search tree and parse tree.
- None of the given

54. In predictive parsing table, the rows represents _____.

- Terminals
- Both non-terminal and terminal
- **Non-terminal PG # 62**
- None of the given

55. A predictive parser is a top-down parser.

- **True**
- False

56. In LL(1) parsing algorithm, contains a sequence of grammar symbols.

- **Stack PG # 62**
- Link list
- Array
- None of the given

57. Bottom-up parsing uses only ___ kinds of actions.

- **Two PG # 71**
- Three
- Four
- Five

AL-JUNAID TECH INSTITUTE

58. Bottom-up parsers handle a class grammar.
- Large PG # 49
 - Small
 - Medium
 - None of the given
59. The shift action a terminal on the stack.
- Pushes PG # 73
 - Pops
 - Both push and pops
 - None of the given
60. Reduce action zero or more symbols from the stack.
- Pushes
 - Pops PG # 73
 - Both push and pops
 - None of the given
61. In compilers, linear analysis is also called _____.
- Lexical analysis
 - Scanning
 - Lexical analysis and scanning
 - None of the given
62. Back End of two-pass compiler algorithm uses _____.
- $O(n)$
 - $O(n \log n)$
 - NP Complete
 - None of the given
63. The Back End of a compiler consist of _____.
- Instruction selection
 - Register allocation

AL-JUNAID TECH INSTITUTE

- Instruction scheduling
 - All of the given
64. _____ In
Back End module of compiler, optimal register allocation uses __.
- $O(\log n)$
 - $O(n \log n)$
 - **NP-Complete**
 - None of the given
65. lexeme is a sequence of characters in the source program that is matched by the pattern for a_.
- Linker
 - **Token**
 - Control flow
 - None of the given
66. _____ is a regular expression for the set of all strings over the alphabets $\{a\}$ that has an even number of a's.
- **aa***
 - $(aa)^*$
 - aa^*a
 - $a(aa)^*$
67. _____ algorithm is used in DFA minimization.
- James's
 - Robert's
 - **Hopcroft's** PG # 25
 - None of the given
68. _____ is an important component of semantic analysis.
- Code checking
 - **Type checking** PG # 39
 - Flush checking
 - None of the given
69. In _____, certain checks are performed to ensure that components of a program fit together meaningfully.
- Linear analysis
 - Hierarchical analysis
 - **Semantic analysis**

AL-JUNAID TECH INSTITUTE

- None of the given
70. _____ read the input character and produce sequence of tokens as output.
- **Lexical analyzer**
 - Parser
 - Symbol table
 - None of the given
71. _____ of a two-pass compiler is consist of instruction selection, Register allocation and instructionscheduling.
- **Backend**
 - Frontend
 - Start
 - None of the given
72. _____ is evaluated to yield a value.
- Command
 - **Expression**
 - Declaration
 - None of the given
73. A parser transforms a stream of tokens into an AST (Abstract Syntax Tree).
- **True**
 - false
74. A parser transforms a stream of characters into a stream of tokens.
- True
 - **False**
75. A lexical analyzer transforms a stream of characters into a stream of tokens.
- **True**
 - False
76. $S \rightarrow a \mid A$
 $A \rightarrow Aa \mid a$
This grammar is ambiguous.
- **True**
 - False

AL-JUNAID TECH INSTITUTE

77. The regular expressions $(a+|b)?$ and $a+|b?$ describe the same set of strings.
- True
 - False
78. The regular expressions $a^*|b^*$ and $(a|b)^*$ describe the same set of strings.
- True
 - False
79. The regular expressions $a+a$ and a^*aa describe the same set of strings.
- True
 - False
80. A lexical analyzer *generator* automatically construct a FSA (Finite State Automaton) that recognizes tokens. The generator is driven by a regular description
- True
 - False
81. The transition table in a lexical analyzer records for each state (row) which token, if any, is recognized in that state. - For each token there may be more than one “recognizing” row in the table.
- True
 - False
82. A recursive descent parser is based on a PDA (Push Down Automaton).
- True
 - False
83. A bottom-up parser creates the nodes in the AST in pre-order.
- True
 - False
84. A top-down parser creates the nodes in the AST (Abstract Syntax Tree) in preorder.
- True
 - False
85. A _____ parser creates the nodes in the AST in preorder.
- Top – Down
 - Bottom – Up

AL-JUNAID TECH INSTITUTE

- Middle – Ware
- Straight

86. The stack used in a bottom-up parser contains an alternating sequence of states and grammar symbols.

- **True**
- False

87. The following two items

$A \rightarrow P \cdot Q$

$A \rightarrow PQ \cdot$

Can coexist in an LR item set.

- True
- **False**

88. The Following two Items

$A \rightarrow x \cdot B$

$B \rightarrow \cdot y$

Can coexist in an LR item set.

- **True**
- False

89. The Following two Items

$B \rightarrow P \cdot P$

$B \rightarrow Q \cdot Q$

Can coexist in an LR item set.

- True
- **False**

90. $S \rightarrow A \mid xb$

$A \rightarrow aAb \mid x$

This is an LALR(1) grammar.

- **True**
- False

91. A linker combines multiple object files into a single executable object.

- **True**
- False

92. Data-flow equations can be solved efficiently by using bitwise boolean instructions (AND, OR, etc.).

AL-JUNAID TECH INSTITUTE

- True
- False

93. Data-flow equations operate with IN, OUT, GEN, and KILL sets.

- True
- False

94. When threading an AST it might be necessary to introduce additional (join) nodes to ensure that each language construct has a single exit point.

- True
- False

95. An iterative interpreter operates on a threaded AST.

- True
- False

96. $S \rightarrow A \mid B$

$A \rightarrow \epsilon \mid aA$

$B \rightarrow b \mid bB$

FIRST(S) contains _____ elements.

- 2
- 3
- 4
- None

97. The following set

$S \rightarrow \cdot A x \{ \$ \}$

$A \rightarrow \cdot a \{ x \}$

$A \rightarrow \cdot aA \{ x \}$

is a valid LR(1) item set

- True
- False

98. $S \rightarrow Ab$

$A \rightarrow Aa \mid \epsilon$

- True
- False

99. The regular expressions $a(b|c)$ and $ab|ac$ describe the same set of strings.

- True

AL-JUNAID TECH INSTITUTE

➤ False

100. $S \rightarrow a \mid B$

$B \rightarrow Bb \mid E$

The non-terminal ___ is left recursive.

➤

B

➤ a

➤ E

➤ None of the given

101. In PASCAL _____ represent the inequality test.

➤ :=

➤ =

➤ **<>**

➤ None of the given

102. In parser the two LL stand(s) for _____.

➤ Left-to-right scan of input

➤ left-most derivation

➤ **All of the given**

➤ None of the given

103. Consider the grammar

$A \rightarrow B C D$

$B \rightarrow h B \mid \text{epsilon}$

$C \rightarrow C g \mid g \mid C h \mid i$

$D \rightarrow AB \mid \text{epsilon}$

First of C is _____.

➤ **g, I**

➤ g

➤ h, i

➤ i

104. Three-address codes are often implemented as a ___.

➤ **Set of quadruples PG # 104**

➤ Set of doubles

➤ Set of Singles

➤ None of the given

105. What does following statement represent? $x[i] = y$

AL-JUNAID TECH INSTITUTE

- Prefix assignment
 - Postfix assignment
 - **indexed assignment PG #107**
 - None of the given
106. _____ convert the reloadable machine code into absolute machine code by linking library and reloadable objectfiles.
- Assembler
 - **Loader/link-editor**
 - Compiler
 - Preprocessor
107. Consider the following grammar,
- $$\begin{aligned} A &\rightarrow B C D \\ B &\rightarrow h B \mid \text{epsilon} \\ C &\rightarrow C g \mid g \mid C h \mid i \\ D &\rightarrow AB \mid \text{epsilon} \end{aligned}$$
- First of A is _____.
- **h, g, i**
 - g
 - h
 - None of the given
108. One of the core tasks of compiler is to generate fast and compact executable code.
- **True PG # 14**
 - False
109. Compilers are sometimes classified as.
- Single pass
 - Multi pass
 - Load and go
 - **All of the given**
110. In multi pass compiler during the first pass it gathers information about
- **Declaration**

AL-JUNAID TECH INSTITUTE

- Bindings
- Static information
- None of the given

111. We can get an LL(1) grammar by_____.

- Removing left recurrence
- Applying left factoring
- Removing left recurrence and Applying left factoring
- None of the given

112. Consider the following grammar, $S \rightarrow aT Ue$ $T \rightarrow Tbc/b$ $U \rightarrow d$
And suppose that string “abcde” can be parsed bottom-up by the following reduction steps:

- (i) aTbcde
- (ii) aTde
- (iii) aT Ue
- (iv) S

So, what can be a handle from the following?

- The whole string, (aT Ue) PG # 68
- The whole string, (aTbcde)
- The whole string, (aTde)
- None of the given

113. When generating a lexical analyzer from a token description, the item sets (states) are constructed by two types of “moves”: character moves and _____ moves.

- E (empty string) PG # 18
- #
- @
- none of given

114. Which of the following statement is true about Two pass compiler.

- Front End depends upon Back End

AL-JUNAID TECH INSTITUTE

➤ **Back End depends upon Frond End PG # 5**

➤ Both are independent of each other

➤ None of the given

115. avoid hardware stalls and interlocks.

➤ Register allocation

➤ **Instruction scheduling PG #10**

➤ Instruction selection

➤ None of given

116. Front end of two pass compiler takes _____ as input.

➤ **Source code PG # 5**

➤ Intermediate Representation (IR)

➤ Machine Code

➤ None of the Given

117. In Three-pass compiler _____ is used for code improvement or optimization.

➤ Front End

➤ **Middle End PG # 10**

➤ Back End

➤ Both Front end and Back end

118. _____ of a two-pass compiler is consists of Instruction selection, Register allocation and Instruction scheduling.

➤ **Back end PG # 9**

➤ Front end

➤ Start

➤ None of given

119. NFA is easy to implement as compared to DFA.

➤ True

➤ **False PG # 19**

120. In a transition table cells of the table contain the ___ state.

AL-JUNAID TECH INSTITUTE

- Reject state
- Next state PG #18
- Previous state
- None of the given

121. The regular expressions $a^*|b^*$ and $(a|b)^*$ describe the ____ set of strings.

- Same
- Different
- Onto

122. A canonical collection of sets of items for an augmented grammar, C is constructed as

- For each set I in C and each grammar symbol X where $\text{goto}(C, X)$ is empty and not in C add the set $\text{goto}(C, X)$ to C .
- The first set in C is the closure of $\{[S' \rightarrow \cdot S]\}$, where S' is starting symbol of original grammar and S is the starting non-terminal of augmented grammar. PG # 72
- The first set in C is the closure of $\{[S' \rightarrow \cdot S]\}$, where S is starting symbol of original grammar and S' is the starting non-terminal of original grammar.

123. The ____ translation statements can be conveniently specified in YACC

- Syntax-directed PG # 120
- Image-directed
- Sign-directed
- None of the given.

124. Attributes whose values are defined in terms of a node's own attributes, node's siblings and node's parent are called _.

- Inherited attributes PG # 92
- Physical attributes
- Logical attributes

AL-JUNAID TECH INSTITUTE

- Un-synthesized attributes
125. Consider the grammar

$$\begin{aligned} A &\rightarrow B C D \\ B &\rightarrow h B \mid \text{epsilon} \\ C &\rightarrow C g \mid g \mid C h \mid i \\ D &\rightarrow AB \mid \text{epsilon} \end{aligned}$$

Follow of B is_____.

- **h**
- g, h, i, \$
- g, i
- g

126. Consider the grammar $A \rightarrow B C D$

$$\begin{aligned} A &\rightarrow B C D \\ B &\rightarrow h B \mid \text{epsilon} \\ C &\rightarrow C g \mid g \mid C h \mid i \\ D &\rightarrow AB \mid \text{epsilon} \end{aligned}$$

Follow of C is_____.

- **g, h, i, \$** PG # 47
- g, h, \$
- h, i, \$
- h, g, \$

127. The test of string is described by a rule called a, associated with token.

- Character
- Loader
- **Pattern**
- None of the given

128. Bottom up parsing is also called_____.

- **LR Parsing** PG # 70

AL-JUNAID TECH INSTITUTE

- LT Parsing
 - LS Parsing
 - None of the given
129. A DFA can be reconstructed from NFA using the subset construction, similar to one used for
- **Lexical Analysis** PG # 82
 - Physical Analysis
 - Logical Analysis
 - Parsing
130. Which of the following system software resides in the main memory always?
- Text editor
 - Assembler
 - Linker
 - **Loader**
131. _____ plays an important role in code optimization.
- **DAG** PG # 143
 - Lexical Analyzer
 - AGD
 - Memory Management
132. LR parsers can handle _____ grammars.
- **Left-recursive** PG # 63
 - file-recursive
 - End-recursive
 - Start-recursive
133. Performing common sub expression elimination on a dependency graph requires the identification of nodes with the same operator and operands. When using a hash table (with a hash

AL-JUNAID TECH INSTITUTE

function based on operator and operands) all ___ nodes can be identified in linear time.

- **Common**
- Uncommon
- Next
- Previous

134. Linear IRs resembles pseudo-code for same ___.

- Automated Machine
- Mechanical machines
- Token machines

➤ **Abstract machine** PG # 100

135. Responsibility of _____ is to produce fast and compact code.

- **Instruction selection**
- Register allocation
- Instruction scheduling
- None of given

136. Optimal registers allocation is an NP-hard problem.

- True
- **False** Page no : 10

137. Left factoring of a grammar is done to save the parser from back tracking.

- **True** Page no:61
- False

138. Recursive _____ parsing is done for LL(1) grammar.

- **Decent** Page no : 47
- Ascent
- Forward
- Backward

139. If X is a terminal in $A \rightarrow aX\cdot$, then this transition corresponds to a shift of _____ from input to top of parse stack.

AL-JUNAID TECH INSTITUTE

➤ **X**

➤ A

➤ a

➤ None of the given

140. An ϵ does not need to examine the entire stack for a handle, the state symbol on the top of the stack contains all the information it needs.

➤ **LR parser**

➤ RL parser

➤ BU parser

➤ None of the given

141. Suppose α begins with symbol X which may be a terminal (token) or non-terminal. The item can be written as $A\alpha X\bullet$.

➤ **True**

➤ False

142. YACC parser generator builds up

➤ SLR parsing table

➤ Canonical LR parsing table

➤ **LALR parsing table**

➤ None of the given

143. LR(1) parsing is --- base parsing.

➤ **DFA**

➤ CFG

➤ PDA

➤ None of the given

144. The LR(1) parsers can not recognize precisely those languages in which one-symbol lookahead suffices to determine whether to shift or reduce.

➤ True

➤ **False**

145. $S \rightarrow A \mid xA \mid xAa \mid xAaA$ This grammar contains a reduce-reduce conflict.

➤ True

False

146. Following statement represents: if x relop y goto L

➤ abstract jump

➤ **Conditional Jump**

AL-JUNAID TECH INSTITUTE

- While Loop
- None Of Given

147. Left factoring is enough to make a grammar LL(1).

- True
- **False**

148. $S \rightarrow ABA \rightarrow e \mid aAB \rightarrow e \mid bB$ - FIRST(S) contains _____ elements.

- **3**
- 4
- 5
- 6

149. Grammars with LL(1) conflicts can be made LL(1) by applying left-factoring, substitution, and left-recursion removal. Left-factoring takes care of _____ conflicts.

- FIRST/FIRST
- First/SECOND
- SECOND/FIRST
- **NONE OF THE GIVEN**

150. In an attribute grammar each production rule ($N \rightarrow a$) has a corresponding attribute evaluation rule that describes how to compute the values of the _____ attributes of each particular node N in the AST.

- **Synthesized**
- Complete
- Free
- Bound

151. When constructing an LR(1) parser we record for each item exactly in which context it appears, which resolves many conflicts present in _____ parsers based on FOLLOW sets.

- SLR(1)
- LRS(1_
- RLS(1)

AL-JUNAID TECH INSTITUTE

- **None of the Given**
152. Backpatching to translate flow-of-control statements in _____ pass.
- **one**
 - two
 - three
 - all of the given
153. LR parsing _____ a string to the start symbol by inverting productions.
- **Reduce**
 - Shift
 - Adds
 - None of the Given
154. _____ phase which supports macro substitution and conditional compilation.
- **Semantic**
 - Syntax
 - Preprocessing
 - None of the Given
155. Parser always gives a tree like structure as output
- **True**
 - False
156. Lexer and scanner are two different phases of compiler
- True
 - **False**
157. _____ tree in which each node represents an operator and children of the node represent the operands.
- **Abstract Syntax**
 - Concrete Syntax
 - Parse
 - None of the Given

AL-JUNAID TECH INSTITUTE

158. Register allocation by graph coloring uses a register interference graph. _____ nodes in the graph are joined by an edge when the live ranges of the values they represent overlap.

➤ **Two**

➤ Three

➤ Four

➤ Five

159. In compilation process Hierarchical analysis is also called

➤ Parsing

➤ Syntax Analysis

➤ **Both Parsing and Syntax analysis**

➤ None Of the Given

160. Ambiguity can easily be handled by Top-down Parser

➤ **True**

➤ False

161. Front-end of a two pass compiler is consists of Scanner.

➤ **True**

➤ False

162. LL(1) parsing is called non-predictive parsing.

➤ **True**

➤ False

163. In predictive parsing table the rows are _____.

➤ **Non-Terminal**

➤ Terminals

➤ Both A and B

➤ None of the Given

164. In LL1() parsing algorithm _____ contains a sequence of grammar symbols.

➤ **Stack**

➤ Link List

➤ Array

AL-JUNAID TECH INSTITUTE

- None of the Given
165. AST summarizes the grammatical structure with the details of derivations.
- True
 - **False**
166. If X is a non-terminal in $A? aX\bullet?$, then the interpretation of this transition is more complex because non-terminals do not appear in input
- **Yes**
 - No
167. If I is a set of items for a grammar, then closure (I) is a set of items constructed from I by the following rule.
- If $A \rightarrow aX.Y$ is in closure (I) and $Y \rightarrow r$ is production, then add $X \rightarrow .r$ to closure (I).
 - **If $A \rightarrow a.XY$ is in closure (I) and $X \rightarrow r$ is production, then add $X \rightarrow .r$ to closure (I).**
 - If $A \rightarrow aXY.$ is in closure (I) and $A \rightarrow r$ is production, then add $X \rightarrow .r$ to closure (I).
 - None of these
168. NFA of LR(0) items means _____
- look-ahead one sybole
 - **no look-ahead**
 - look-ahead all sybols
 - None of the given
169. A grammar is LR if a----- shift reduce-reduce parser can recognize handles when they appear on the top of stack.
- left-to-reverse
 - left-to-rise
 - **left-to-right**
 - None of the given.
170. The output from the algorithm of constructing the collection of canonical sets of LR(1) items will be the _____
- Original Grammar G
 - Augmented grammar G'
 - Parsing table
 - **None of the given**

AL-JUNAID TECH INSTITUTE

171. Reduction of a handle to the ----- on the left hand side of the grammar rule is a step along the reverse of a right most derivation.

- Terminal
- **Non-terminal**

172. NFA of LR(1) items means _____

- no look-ahead
- **look-ahead one sybole**
- look-ahead all sybols
- None of the given

173. performing common subexpression elimination on aa dependency graph requires the identification of nodes with the same operator and operands.when using a hash table (with a hash function based on operator and operands) all _____ nodes can be identified in linear time.

- **common**
- uncommon
- next
- previous

174. Linear IRs resemble pseudo-code for same _____.

- **Automated Machine**
- Mechanical machines
- Token machines
- Abstract machine

175. The regular expressions $a^*|b^*$ and $(a|b)^*$ describe the _____ set of strings.

- Same
- **Different**
- Onto

176. Back patching to translate flow-of-control statements in _____ pass.

- **one Page no : 111**
- two
- three
- all of the given

177. Consider the following grammar, $S \rightarrow aT Ue$ $T \rightarrow Tbc/b$ $U \rightarrow d$
And suppose that string “abbcde” can be parsed bottom-up by the following reduction steps: (i) $aTbcde$ (ii) $aTde$ (iii) $aT Ue$ (iv) S So

AL-JUNAID TECH INSTITUTE

what can be a handle from the following?

- **The whole string, (aTUE)**
- The whole string, (aTbcde)
- The whole string, (aTde)
- None of the given

178. Yacc contains built-in support for handling ambiguous grammars resulting in _____ conflicts.

- **Shift-reduce**
- Shift-Shift
- Shift-second
- None of the given

179. The following two items $A \rightarrow P \cdot Q$ $B \rightarrow P \cdot Q$ can co-exist in an _____ item set.

- **LR**
- LS
- LT
- PR

180. The error handling mechanism of the yacc parser generator pushes the input stream back when inserting 'missing' tokens.

- **True**
- False

181. Flow of values used to calculate synthesized attributes in the parse tree is:

- **Bottom-up**
- Right to left
- Top-Down
- Left to right

182. A lexical analyzer transforms a stream of tokens. The tokens are stored into symbol table for further processing by the parser.

- **True**
- False

183. LR parsers can handle _____ grammars.

- **Left-recursive Page no: 163**
- file-recursive
- End-recursive

AL-JUNAID TECH INSTITUTE

➤ Start-recursive

184. For each language to make LL(1) grammar, we take two steps, 1st is removing left recurrence and 2nd is applying fin sequence.

➤ True

➤ **False**

185. Can a DFA simulate NFA?

➤ Yes

➤ No

➤ **Sometimes**

➤ Depend upon nfa

186. Which of the statement is true about Regular Languages?

➤ Regular Languages are the most popular for specifying tokens.

➤ Regular Languages are based on simple and useful theory.

➤ Regular Languages are easy to understand.

➤ **All of the given**

187. The transition graph for an NFA that recognizes the language $(a|b)^*abb$ will have following set of states.

➤ {0}

➤ {0,1}

➤ {0,1,2}

➤ **{0,1,2,3} not sure**

188. Functions of Lexical analyzer are?

➤ Removing white space

➤ Removing constants, identifiers and keywords

➤ Removing comments

➤ **All of the given**

189. Consider the following grammar, $S \rightarrow aT U e$ $T \rightarrow T b c / b U$ $U \rightarrow d$

And suppose that string "abcde" can be parsed bottom-up by the following reduction steps: (i) aTbcde (ii) aTde (iii) aT U e (iv) S So, what can be a handle from the following?

➤ **The whole string, (aT U e) Page no : 68**

➤ The whole string, (aTbcde)

➤ The whole string, (aTde)

➤ None of the given

190. The LR(1) items are used as the states of a finite automaton (FA) that maintains information about the parsing stack and progress of a shift-reduce parser.

AL-JUNAID TECH INSTITUTE

➤ True Page no: 74

➤ False

191. Flex is an automated tool that is used to get the minimized DFA (scanner).

➤ True

➤ False

192. We use ----- to mark the bottom of the stack and also the right end of the input when considering the Stack implementation of Shift-Reduce Parsing.

➤ Epsilon

➤ #

➤ \$

➤ None of the given

193. When generating a lexical analyzer from a token description, the item sets (states) are constructed by two types of “moves”: character moves and _____ moves.

➤ E (empty string) Page no : 18

➤ #

➤ @

➤ none of given

194. Let a grammar $G = (V_n, V_t, P, S)$ is modified by adding a unit production $S' \rightarrow S$ to the grammar and now starting non-terminals becomes S' and grammar becomes $G' = (V_n \cup \{S'\}, V_t, P \cup \{S' \rightarrow S\}, S')$. The Grammar G' is called the -----

➤ Augmented Grammar Page no : 76

➤ Lesser Grammar

➤ Anonymous Grammar

➤ none of given

195. Parser takes tokens from scanner and tries to generate _____.

➤ Binary Search Tree

➤ Parse Tree

➤ Syntax Trace

➤ None of the Given

196. In Flex specification file different sections are separated by ____.

➤ %% Page no: 26

AL-JUNAID TECH INSTITUTE

- &&
- ##
- \\\

197. In DFA minimization we construct one _____ for each group of states from the initial DFA.

- State Page no : 25
- NFA
- PDA
- None of Given

198. Intermediate Representation (IR) stores the value of its operand in _____.

- Registers
- Memory
- Hard Disk
- Secondary Storage

199. In _____ certain checks are performed to ensure that components of a program fit together meaningfully.

- Linear analysis
- Hierarchical analysis
- Semantic analysis Page no : 33
- None

199. A _____ is a top down parser.

- Predictive Parsing
- Reactive parser
- Proactive parser
- None of the given

200. Lexical Analyzer generator _____ is written in Java.

- Flex
- Jflex Page no : 26
- Complex

AL-JUNAID TECH INSTITUTE

➤ None of given

201. _____ avoid hardware stalls and interlocks.

➤ Register allocation

➤ **Instruction scheduling**

➤ Instruction selection

➤ None of given

202. Recursive _____ parsing is done for LL(1) grammar.

➤ **Decent**

➤ Ascent

➤ Forward

➤ Backward

203. NFA of LR(1) items means _____

➤ no look-ahead

➤ **look-ahead one symbols**

➤ look-ahead all symbols

➤ None

204. In the Parsing Table, the rows correspond to Parsing DFA states and columns correspond to _____

➤ **Terminals and Non-terminals**

➤ Start Symbol and its derivation

➤ Handles and derivations

➤ None

205. A grammar is LR if a _____ shift reduce-reduce parser can recognize handles when they appear on the top of the stack

➤ left-to-reverse

➤ left-to-rise

➤ **left-to-right**

➤ None

206. Suppose ? begins with symbol X which may be a terminal (token) or non-terminal. The item can be written as $A?Xa?$

➤ **True**

➤ False

AL-JUNAID TECH INSTITUTE

207. A handle is a substring that matches a ___ side of production rule in the grammar.

- right hand
- left hand

208. If $T \rightarrow XYZ$ is a production of grammar G then which of the following item indicates that a string derivable from X has been seen so far on the input and we hope to see a string derivable from YZ next on the input.

- $T \rightarrow .XYZ$
- $T \rightarrow X.YZ$
- $T \rightarrow XY.Z$
- $T \rightarrow XYZ.$

209. In the canonical collection procedure, a DFA can not be constructed from NFA using the subset construction, similar to the one we used for lexical analysis.

- True
- False

210. Suppose α begins with symbol X which may be a terminal (token) or non-terminal. The item can be written as ___

- $A\alpha.X?$
- $A?X\alpha.?$
- $A?X?$
- $X?A\alpha.?$

211. If I is a set of items for grammar then $\text{closure}(I)$ is a set of items constructed from I by the following rule.

- Every item in I is in $\text{closure}(I)$
- Every item in I is not in $\text{closure}(I)$
- Only one item in I is in $\text{closure}(I)$
- None

212. NFA of LR(0) items means ___

- no look ahead symbol

AL-JUNAID TECH INSTITUTE

- look ahead one symbol
- look ahead all symbols
- All of the given





CS606- compiler instruction
Solved MCQS
From Midterm Papers

Feb 25,2013

MC100401285

Moaaz.pk@gmail.com

Mc100401285@gmail.com

PSMD01

Final Term MCQ's and Quizzes
CS606- compiler instruction

Question No: 1 (Marks: 1) - Please choose one

If X is a terminal in $A \rightarrow aX?$, then this transition corresponds to a shift of _____ from input to top of parse stack.

- X
- A
- a
- None of the given

Question No: 1 (Marks: 1) - Please choose one

A canonical collection of sets of items for an augmented grammar, C is constructed as -----

The first set in C is the closure of $\{[S' \rightarrow \cdot S]\}$, where S is starting symbol of original grammar and S' is the starting non-terminal of augmented grammar.

The first set in C is the closure of $\{[S' \rightarrow \cdot S]\}$, where S is starting symbol of original grammar and S' is the starting non-terminal of original grammar.

The first set in C is the closure of $\{[S' \rightarrow \cdot S]\}$, where S is starting symbol of original grammar and S is the starting non-terminal of augmented grammar.

None of these

Question No: 1 (Marks: 1) - Please choose one

An ----- does not need to examine the entire stack for a handle, the state symbol on the top of the stack contains all the information it needs.

- LR parser
- RL parser
- BU parser
- None of the given

Question No: 1 (Marks: 1) - Please choose one

Suppose ? begins with symbol X which may be a terminal (token) or non-terminal. The item can be written as A? Xa•?.

- True
- False

Question No: 1 (Marks: 1) - Please choose one

YACC parser generator builds up

- SLR parsing table
- Canonical LR parsing table
- LALR parsing table
- None of the given

Question No: 1 (Marks: 1) - Please choose one

LR(1) parsing is --- base parsing.

- DFA
- CFG
- PDA
- None of the given

Question No: 1 (Marks: 1) - Please choose one

The LR(1) parsers can not recognize precisely those languages in which one-symbol lookahead suffices to determine whether to shift or reduce.

- True
- False

Question No: 1 (Marks: 1) - Please choose one

Yacc contains built-in support for handling ambiguous grammars resulting in shift-reduce conflicts. By default these conflicts are solved by performing the _____.

- Shift action
- Reduce action
- Shift and reduce actions
- De-allocation of memory

Question No: 1 (Marks: 1) - Please choose one

$S \rightarrow A \mid xB$ $A \rightarrow aAb \mid x$ This grammar contains a reduce-reduce conflict.

True

False

Question No: 1 (Marks: 1) - Please choose one

$S \rightarrow a \mid B$

$B \rightarrow Bb \mid E$ The non-terminal _____ is left recursive.

B

a

E

None of the given

Question No: 1 (Marks: 1) - Please choose one

Following statement represents: if x relop y goto L

abstract jump

Conditional jump

While loop

None of the Given

Question No: 1 (Marks: 1) - Please choose one

When generating a lexical analyzer from a _____ description, the item sets (states) are constructed by two types of “moves”: character moves and e moves.

Character

Grammar

Token

Sentence

Question No: 1 (Marks: 1) - Please choose one

Left factoring is enough to make a grammar LL(1).

True

False

Muhammad Moaaz Siddiq – MCS(4th)

Moaaz.pk@gmail.com

**Campus: - Institute of E-Learning & Modern Studies
(IEMS) Samundari**

Question No: 1 (Marks: 1) - Please choose one

Register allocation by graph coloring uses a register interference graph. _____ nodes in the graph are joined by an edge when the live ranges of the values they represent overlap.

Two p116

Three

Four

Five

Question No: 1 (Marks: 1) - Please choose one

$S \rightarrow ABA \rightarrow e \mid aAB \rightarrow e \mid bB$ - FIRST(S) contains ____ elements.

3

4

5

6

Question No: 1 (Marks: 1) - Please choose one

The notation _____ instructs YACC to push a computed attribute value on the stack.

\$\$ Page no : 98

&&

##

--

Question No: 1 (Marks: 1) - Please choose one

Simple code generation considers one AST node at a time. If the target is a register machine, the code can be generated in one _____ traversal of the AST, possibly introducing temporaries when running out of registers.

Depth-first

Breadth-first

Top-Down

Bottom-Up

Question No: 1 (Marks: 1) - Please choose one

Grammars with LL(1) conflicts can be made LL(1) by applying left-factoring, substitution, and left-recursion removal. Left-factoring takes care of _____conflicts.

FIRST/FIRST

FIRST/SECOND

SECOND/FIRST

None of the given

Question No: 1 (Marks: 1) - Please choose one

In an attribute grammar each production rule($N \rightarrow a$) has a corresponding attribute evaluation rule that describes how to compute the values of the _____attributes of each particular node N in the AST.

Synthesized page no : 92

Complete

Free

Bounded

Question No: 1 (Marks: 1) - Please choose one

When constructing an LR(1) parser we record for each item exactly in which context it appears, which resolves many conflicts present in _____parsers based on FOLLOW sets.

SLR(1)

LRS(1)

RLS(1)

None of the given

Question No: 1 (Marks: 1) - Please choose one

The _____translation statements can be conveniently specified in YACC

Syntax-directed Page no : 120

Image-directed

Sign-directed

None of the given.

Question No: 1 (Marks: 1) - Please choose one

Backpatching to translate flow-of-control statements in ____ pass.

- one
- two
- three
- all of the given

Question No: 1 (Marks: 1) - Please choose one

Alternative of the backtrack in parser is Look ahead symbol in _____ .

Input

- Output
- Input and Output
- None of the given

Question No: 1 (Marks: 1) - Please choose one

Typical compilation means programs written in high-level languages to low-level _____.

Object code

- Byted code
- Unicode
- Both Object Code and byte code

Question No: 1 (Marks: 1) - Please choose one

In PASCAL _____ represent the inequality test.

- :
- :=
- =
- <>
- None of the given

Question No: 1 (Marks: 1) - Please choose one

LR parsing _____ a string to the start symbol by inverting productions.

Reduces

- Shifts
- Adds
- None of the given

Question No: 1 (Marks: 1) - Please choose one

In multi pass compiler during the first pass it gathers information about _____ .

Declaration

Bindings

Static information

None of the given

Question No: 1 (Marks: 1) - Please choose one

_____ phase which supports macro substitution and conditional compilation.

Semantic

Syntax

Preprocessing

None of given

Question No: 1 (Marks: 1) - Please choose one

In parser the two LL stand(s) for _____ .

Left-to-right scan of input

left-most derivation

All of the given

None of the given

Question No: 1 (Marks: 1) - Please choose one

Parser always gives a tree like structure as output

True

False

Question No: 1 (Marks: 1) - Please choose one

Lexer and scanner are two different phases of compiler

True

False

Question No: 1 (Marks: 1) - Please choose one

_____ tree in which each node represents an operator and children of the node represent the operands.

Abstract syntax Page no : 100

Concrete syntax

Parse

None of the given

Question No: 1 (Marks: 1) - Please choose one

In compilation process Hierarchical analysis is also called

Parsing

Syntax analysis

Both Parsing and Syntax analysis

None of given

Question No: 1 (Marks: 1) - Please choose one

Ambiguity can easily be handled by Top-down Parser

Select correct option:

True

False

Question No: 1 (Marks: 1) - Please choose one

Front-end of a two pass compiler is consists of Scanner.

True

False

Question No: 1 (Marks: 1) - Please choose one

LL(1) parsing is called non-predictive parsing.

True

False

Question No: 1 (Marks: 1) - Please choose one

In predictive parsing table the rows are _____ .

Non-terminals

Terminals

Both non-terminal and terminals

None of the given

Question No: 1 (Marks: 1) - Please choose one

In LL1() parsing algorithm _____ contains a sequence of grammar symbols.

Stack

Link list

Array

None

Question No: 1 (Marks: 1) - Please choose one

Consider the grammar

A \rightarrow B C D

B \rightarrow h B | epsilon

C \rightarrow C g | g | C h | i

D \rightarrow A B | epsilon

First of C is _____ .

Select correct option:

g, I look down for reference

g

h i

i

Question No: 1 (Marks: 1) - Please choose one

AST summarizes the grammatical structure with the details of derivations.

True

False

Question No: 1 (Marks: 1) - Please choose one

Left factoring is enough to make LL1 grammar

True

False

Question No: 1 (Marks: 1) - Please choose one

If X is a non-terminal in A? $aX\cdot$?, then the interpretation of this transition is more complex because non-terminals do not appear in input

Yes

No

Question No: 1 (Marks: 1) - Please choose one

If / is a set of items for a grammar then closure (/) is a set of items constructed from / by the following rule.

If A \rightarrow aX.Y is in closure (/) and Y \rightarrow r is production, then add X \rightarrow .r to closure (/).

If A \rightarrow a.XY is in closure (/) and X \rightarrow r is production, then add X \rightarrow .r to closure (/).

If A \rightarrow aXY. is in closure (/) and A \rightarrow r is production, then add X \rightarrow .r to closure (/).

None of these

Muhammad Moaaz Siddiq – MCS(4th)

Moaaz.pk@gmail.com

**Campus:- Institute of E-Learning & Modern Studies
(IEMS) Samundari**

Question No: 1 (Marks: 1) - Please choose one

NFA of LR(0) items means _____

- look-ahead one sybole
- no look-ahead
- look-ahead all sybols
- None of the given

Question No: 1 (Marks: 1) - Please choose one

A grammar is LR if a ----- shift reduce-reduce parser can recognize handles when they appear on the top of stack.

- left-to-reverse
- left-to-rise
- left-to-right
- None of the given.

Question No: 1 (Marks: 1) - Please choose one

The output from the algorithm of constructing the collection of canonical sets of LR(1) items will be the _____

- Original Grammar G
- Augmented grammar G'
- Parsing table
- None of the given

Question No: 1 (Marks: 1) - Please choose one

Reduction of a handle to the ----- on the left hand side of the grammar rule is a step along the reverse of a right most derivation.

- Terminal
- Non-terminal

Question No: 1 (Marks: 1) - Please choose one

NFA of LR(1) items means _____

- no look-ahead
- look-ahead one sybole
- look-ahead all sybols
- None of the given

Question No: 1 (Marks: 1) - Please choose one

In canonical collection procedure a DFA can not be constructed from NFA using the subset construction, similar to one we used for lexical analysis.

- True
- False

Question No: 1 (Marks: 1) - Please choose one

performing common subexpression elimination on aa dependency graph requires the identification of nodes with the same operator and operands.when using a hash table (with a hash function based on operator and operands) all_____ nodes can be identified in linear time.

- common
- uncommon
- next
- previous

Question No: 1 (Marks: 1) - Please choose one

Linear IRs resemble pseudo-code for same _____.

- Automated Machine
- Mechanical machines
- Token machines
- Abstract machine

Question No: 1 (Marks: 1) - Please choose one

The regular expressions $a^*|b^*$ and $(a|b)^*$ describe the _____ set of strings.

- Same
- Different**
- Onto

Question No: 1 (Marks: 1) - Please choose one

Back patching to translate flow-of-control statements in _____ pass.

one Page no : 111

- two
- three
- all of the given

Question No: 1 (Marks: 1) - Please choose one

Consider the following grammar, $S \rightarrow aT U e$ $T \rightarrow T b c / b U$ $U \rightarrow d$ And suppose that string “abcde” can be parsed bottom-up by the following reduction steps: (i) $aT b c d e$ (ii) $aT d e$ (iii) $aT U e$ (iv) S So what can be a handle from the following?

- The second (b) in (abcde)
- The first (b) in (abcde)
- The substring (cd) in (abcde)
- None of the given

Question No: 1 (Marks: 1) - Please choose one

Yacc contains built-in support for handling ambiguous grammars resulting in _____ conflicts.

Shift-reduce

- Shift-Shift
- Shift-second
- None of the given

Question No: 1 (Marks: 1) - Please choose one

A lexical analyzer generator automatically constructs a _____ that recognizes tokens.

- :
- FA**
- PDA
- DP
- None of the given

Question No: 1 (Marks: 1) - Please choose one

Attributes whose values are defined in terms of a node's own attributes, node's siblings and node's parent are called _____ .

Inherited attributes Page no : 92

Physical attributes

Logical attributes

Un-synthesized attributes

Question No: 1 (Marks: 1) - Please choose one

The following two items $A \rightarrow P \cdot Q$ $B \rightarrow P \cdot Q$ can co-exist in an _____ item set.

LR

LS

LT

PR

Question No: 1 (Marks: 1) - Please choose one

Three-address codes are often implemented as a _____.

Set of quadruples Page no : 104

Set of doubles

Set of Singles

None of the given

Question No: 1 (Marks: 1) - Please choose one

The error handling mechanism of the yacc parser generator pushes the input stream back when inserting 'missing' tokens.

True

False

Question No: 1 (Marks: 1) - Please choose one

Flow of values used to calculate synthesized attributes in the parse tree is:

Bottom-up Page no: 92

Right to left

Top-Down

Left to right

Question No: 1 (Marks: 1) - Please choose one

What does following statement represent? $x[i] = y$

Prefix assignment

Postfix assignment

indexed assignment Page no : 107

None of the given

Question No: 1 (Marks: 1) - Please choose one

A lexical analyzer transforms a stream of tokens. The tokens are stored into symbol table for further processing by the parser.

True Page no: 99

False

Question No: 1 (Marks: 1) - Please choose one

LR parsers can handle _____ grammars.

Left-recursive Page no: 163

file-recursive

End-recursive

Start-recursive

Question No: 1 (Marks: 1) - Please choose one

_____ convert the reloadable machine code into absolute machine code by linking library and reloadable object files.

Assembler

Loader/link-editor

Compiler

Preprocessor

Question No: 1 (Marks: 1) - Please choose one

Consider the following grammar,

$A \rightarrow B C D$

$B \rightarrow h B \mid \text{episilon}$

$C \rightarrow C g \mid g \mid C h \mid i$

$D \rightarrow A B \mid \text{episilon}$

First of A is _____ .

h, g, i

gh

None of the given

Muhammad Moaaz Siddiq – MCS(4th)

Moaaz.pk@gmail.com

**Campus: - Institute of E-Learning & Moderen Studies
(IEMS) Samundari**

Question No: 1 (Marks: 1) - Please choose one

One of the core tasks of compiler is to generate fast and compact executable code.

True

False

Question No: 1 (Marks: 1) - Please choose one

Compilers are sometimes classified as.

Single pass

Multi pass

Load and go

All of the given

Question No: 1 (Marks: 1) - Please choose one

In multi pass compiler during the first pass it gathers information about _____ .

Declaration

Bindings

Static information

None of the given **

Question No: 1 (Marks: 1) - Please choose one

For each language to make LL(1) grammar, we take two steps, 1st is removing left recurrence and 2nd is applying fin sequence.

True

False

Question No: 1 (Marks: 1) - Please choose one

_____ is evaluated to yield a value.

Command

Expression

Declaration

Declaration and Command

Question No: 1 (Marks: 1) - Please choose one

We can get an LL(1) grammar by _____ .

Removing left recurrence

Applying left factoring

Removing left recurrence and Applying left factoring

None of the given

Muhammad Moaaz Siddiq – MCS(4th)

Moaaz.pk@gmail.com

**Campus:- Institute of E-Learning & Moderen Studies
(IEMS) Samundari**

Question No: 1 (Marks: 1) - Please choose one

Can a DFA simulate NFA?

Yes

No

Sometimes

Depend upon nfa

Question No: 1 (Marks: 1) - Please choose one

Which of the statement is true about Regular Languages?

Regular Languages are the most popular for specifying tokens.

Regular Languages are based on simple and useful theory.

Regular Languages are easy to understand.

All of the given

Question No: 1 (Marks: 1) - Please choose one

The transition graph for an NFA that recognizes the language $(a|b)^*abb$ will have following set of states.

{0}

{0,1}

{0,1,2}

{0,1,2,3} not sure

Question No: 1 (Marks: 1) - Please choose one

Functions of Lexical analyzer are?

Removing white space

Removing constants, identifiers and keywords

Removing comments

All of the given

Question No: 1 (Marks: 1) - Please choose one

Consider the following grammar, $S \rightarrow aTUE$ $T \rightarrow Tbc/bU$ $U \rightarrow d$ And suppose that string "abcde" can be parsed bottom-up by the following reduction steps: (i) $aTbcde$ (ii) $aTde$ (iii) $aTUE$ (iv) S So, what can be a handle from the following?

The whole string, (aTUE) Page no : 68

The whole string, (aTbcde)

The whole string, (aTde)

None of the given

Muhammad Moaaz Siddiq – MCS(4th)

Moaaz.pk@gmail.com

**Campus:- Institute of E-Learning & Moderen Studies
(IEMS) Samundari**

Question No: 1 (Marks: 1) - Please choose one

The LR(1) items are used as the states of a finite automaton (FA) that maintains information about the parsing stack and progress of a shift-reduce parser.

True Page no: 74

False

Question No: 1 (Marks: 1) - Please choose one

Flex is an automated tool that is used to get the minimized DFA (scanner).

True

False Page no: 26

Question No: 1 (Marks: 1) - Please choose one

We use ----- to mark the bottom of the stack and also the right end of the input when considering the Stack implementation of Shift-Reduce Parsing.

Epsilon

#

\$ Page no : 65

None of the given

Question No: 1 (Marks: 1) - Please choose one

When generating a lexical analyzer from a token description, the item sets (states) are constructed by two types of “moves”: character moves and ____ moves.

E (empty string) Page no : 18

#

@

none of given

Question No: 1 (Marks: 1) - Please choose one

Bottom-up parsers handle a _____ class of grammars.

large Page no : 63

small

medium

none of the given

Question No: 1 (Marks: 1) - Please choose one

Let a grammar $G = (V_n, V_t, P, S)$ is modified by adding a unit production $S' \rightarrow S$ to the grammar and now starting non-terminals becomes S' and grammar becomes $G' = (V_n \cup \{S'\}, V_t, P \cup \{S' \rightarrow S\}, S')$. The Grammar G' is called the -----

Augmented Grammar Page no : 76

Lesser Grammar

Anonymous Grammar

none of given

Question No: 1 (Marks: 1) - Please choose one

Parser takes tokens from scanner and tries to generate _____ .

Binary Search tree

Parse tree

Syntax trace Page no : 6

None of the given

Question No: 1 (Marks: 1) - Please choose one

In Flex specification file different sections are separated by _____ .

%% Page no: 26

&&

##

\\

Question No: 1 (Marks: 1) - Please choose one

Consider the grammar $A \rightarrow B C D$

$B \rightarrow h B \mid \epsilon$

$C \rightarrow C g \mid g \mid C h \mid i$

$D \rightarrow A B \mid \epsilon$

Follow of B is _____ .

h

g, h, i, \$

g, i

g

Muhammad Moaaz Siddiq – MCS(4th)

Moaaz.pk@gmail.com

**Campus: - Institute of E-Learning & Moderen Studies
(IEMS) Samundari**

Question No: 1 (Marks: 1) - Please choose one

Consider the grammar $A \rightarrow B C D$

$B \rightarrow h B \mid \epsilon$

$C \rightarrow C g \mid g \mid C h \mid i$

$D \rightarrow A B \mid \epsilon$

Follow of C is _____ .

g, h, i, \$ Page no : 47

g, h, \$

h, i, \$

h, g, \$

Question No: 1 (Marks: 1) - Please choose one

In DFA minimization we construct one _____ for each group of states from the initial DFA.

State Page no : 25

NFA

PDA

None of given

Question No: 1 (Marks: 1) - Please choose one

An important component of semantic analysis is _____ .

code checking

type checking page no : 6

flush checking

None of the given

Question No: 1 (Marks: 1) - Please choose one

Intermediate Representation (IR) stores the value of its operand in _____ .

Registers Page no : 10

Memory

Hard disk

Secondary storage

Question No: 1 (Marks: 1) - Please choose one

In _____ certain checks are performed to ensure that components of a program fit together meaningfully.

Linear analysis

Hierarchical analysis

Semantic analysis Page no : 33

None of given

Muhammad Moaaz Siddiq – MCS(4th)

Moaaz.pk@gmail.com

**Campus:- Institute of E-Learning & Modern Studies
(IEMS) Samundari**

Question No: 1 (Marks: 1) - Please choose one

Which of the following statement is true about Two pass compiler.

Front End depends upon Back End

Back End depends upon Frond End page no : 5

Both are independent of each other

None of the given

Question No: 1 (Marks: 1) - Please choose one

_____ algorithm is used in DFA minimization.

James's

Robert's

Hopcroft's Page no : 19

None of given

Question No: 1 (Marks: 1) - Please choose one

A _____ is a top down parser.

Predictive Parsing Page no: 46

Reactive parser

Proactive parser

None of the given

Question No: 1 (Marks: 1) - Please choose one

Lexical Analyzer generator _____ is written in Java.

Flex

Jlex Page no : 26

Complex

None of given

Question No: 1 (Marks: 1) - Please choose one

_____ avoid hardware stalls and interlocks.

Register allocation

Instruction scheduling Page no : 10

Instruction selection

None of given

Question No: 1 (Marks: 1) - Please choose one

Recursive _____ parsing is done for LL(1) grammar.

Decent Page no : 47

Ascent

Forward

Backward

Question No: 1 (Marks: 1) - Please choose one

Left factoring of a grammar is done to save the parser from back tracking.

True Page no:61

False

Question No: 1 (Marks: 1) - Please choose one

Responsibility of _____ is to produce fast and compact code.

Instruction selection

Register allocation

Instruction scheduling

None of given Page no: 9

Question No: 1 (Marks: 1) - Please choose one

Optimal registers allocation is an NP-hard problem.

True

False Page no : 10

Question No: 1 (Marks: 1) - Please choose one

Front end of two pass compiler takes _____ as input.

Source code Page no: 5

Intermediate Representation (IR)

Machine Code

None of the Given

Question No: 1 (Marks: 1) - Please choose one

In Three-pass compiler _____ is used for code improvement or optimization.

Front End

Middle End Page no : 10

Back End

Both Front end and Back end

Muhammad Moaaz Siddiq – MCS(4th)

Moaaz.pk@gmail.com

**Campus:- Institute of E-Learning & Moderen Studies
(IEMS) Samundari**

Question No: 1 (Marks: 1) - Please choose one

_____ of a two-pass compiler is consists of Instruction selection, Register allocation and Instruction scheduling.

Back end Page no : 9

Front end

Start

None of given

Question No: 1 (Marks: 1) - Please choose one

NFA is easy to implement as compared to DFA.

True

False Page no : 19

Question No: 1 (Marks: 1) - Please choose one

In Back End module of compiler, optimal register allocation uses_____ .

$O(\log n)$

$O(n \log n)$

N P-Complete Page no : 10

None of the given

Question No: 1 (Marks: 1) - Please choose one

In a transition table cells of the table contain the _____ state.

Reject state

Next state Page no 18

Previous state

None of the given

Question No: 1 (Marks: 1) - Please choose one

Parser generator for the grammar LALR (1) is:

YACC, Bison, CUP Page no: 88

Question No: 1 (Marks: 1) - Please choose one

Attributes of a node whose values are defined wholly in terms of attributes of node's children and from constants are called _____.

Synthesized attributes Page no : 92

Muhammad Moaaz Siddiq – MCS(4th)

Moaaz.pk@gmail.com

**Campus:- Institute of E-Learning & Moderen Studies
(IEMS) Samundari**

Question No: 1 (Marks: 1) - Please choose one

Goto L statement represent

Unconditional jump Page no : 107

Question No: 1 (Marks: 1) - Please choose one

Dotted items (T□a •b) record which part of a token has already been matched. Integer? ([0-9])+ • This is a _____ item.

Extended Page no : 73

Question No: 1 (Marks: 1) - Please choose one

If $T \rightarrow XYZ$ is a production of grammar G then which of the following item indicates that a string derivable from X has been seen so far on the input and we hope to see a string derivable from YZ next on the input.

Question No: 1 (Marks: 1) - Please choose one

The most powerful parser is:

Question No: 1 (Marks: 1) - Please choose one

In the Parsing Table the rows correspond to Parsing DFA states and columns correspond to ----.

Muhammad Moaaz Siddiq – MCS(4th)

Moaaz.pk@gmail.com

**Campus:- Institute of E-Learning & Modern Studies
(IEMS) Samundari**